



Kinetics of Quasiparticle Tunneling in a Pair of Superconducting Qubits

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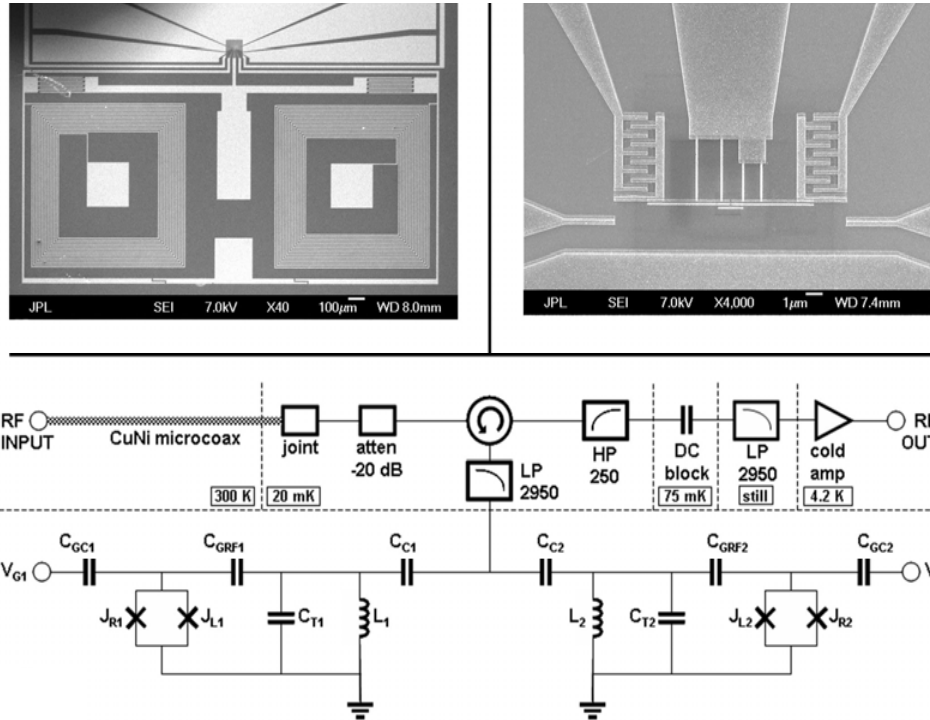
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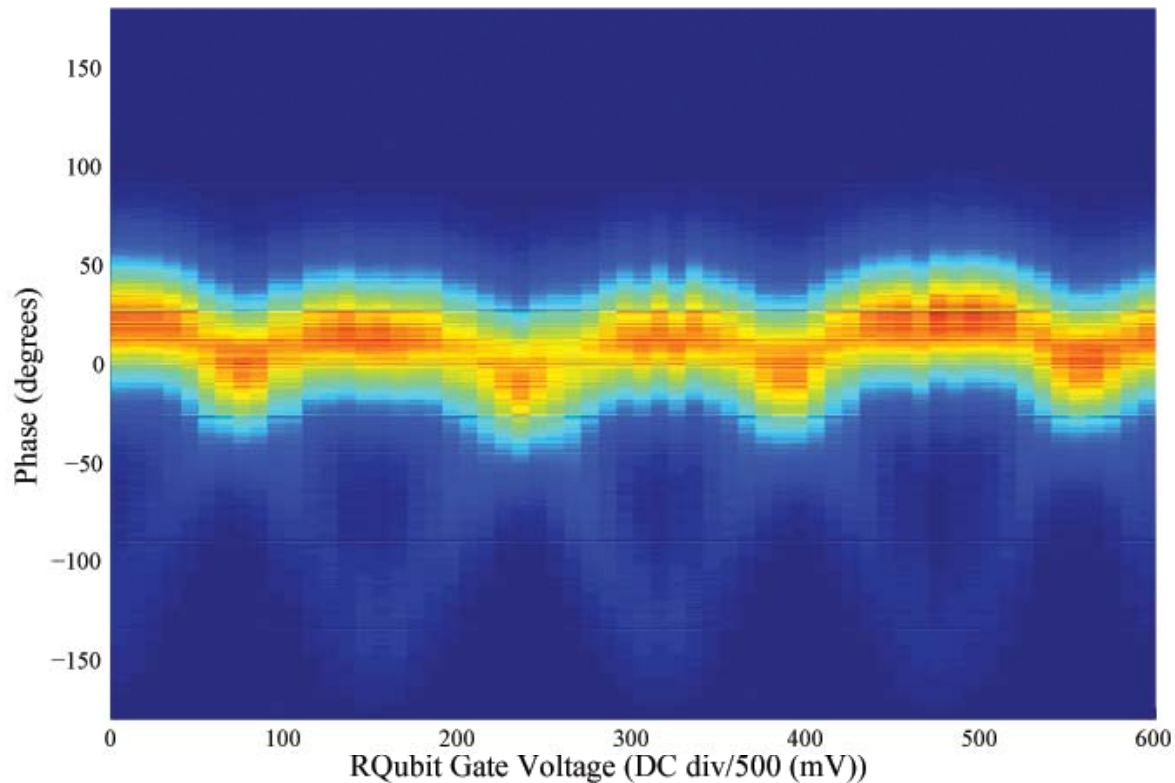
Experimental Setup



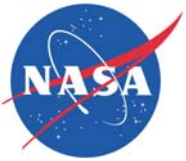
- Qubits are based on the Single Cooper-pair box
- Two weakly coupled qubits, can be considered independent
- Multiplexed quantum capacitance readout scheme



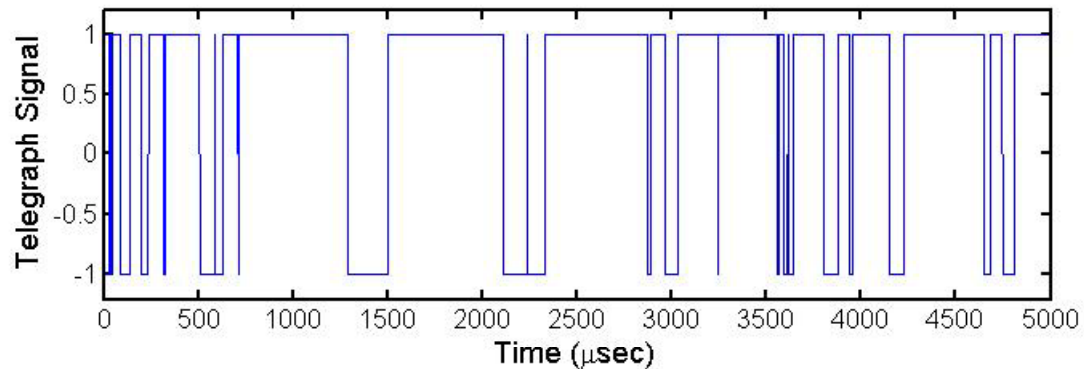
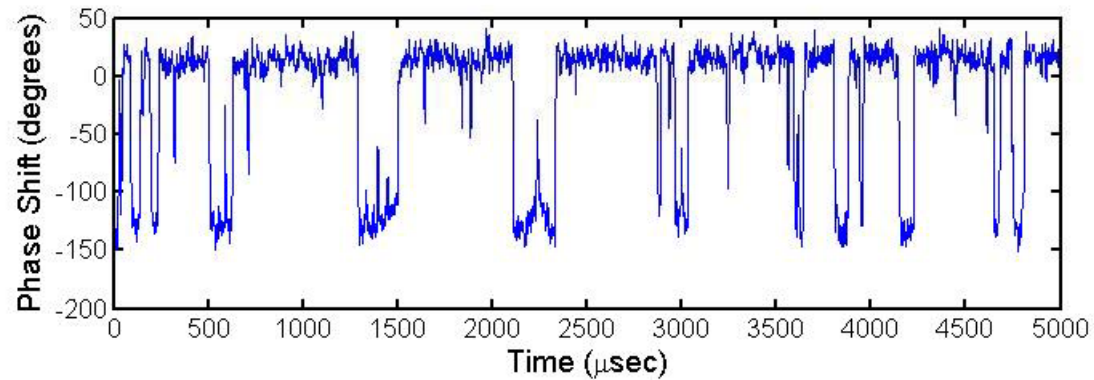
Quasiparticle Tunneling



- Low-temperature quasiparticles are not well understood
- Quasiparticle tunneling can be directly observed in the time domain
- QCR phase shift exhibits telegraph noise
- Odd-to-even and even-to-odd transition rates can be extracted independently
- Data can be understood in terms of a kinetic theory
- Understanding Nonequilibrium QP tunneling is essential for qubits



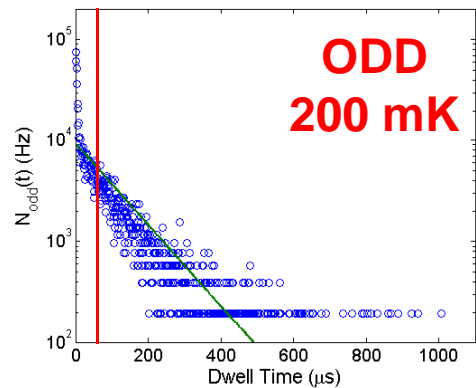
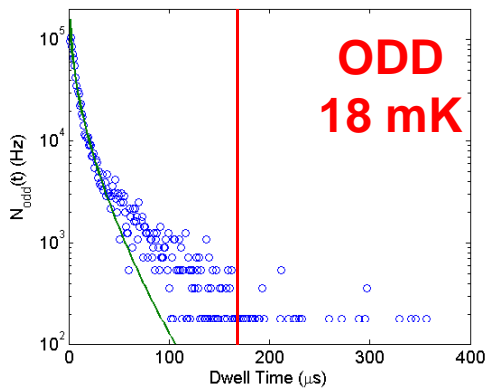
Dwell Time Extraction



- Data record is 1s long, 10^6 points
- Filtered with Schmitt trigger
- Dwell times extracted and binned into histogram

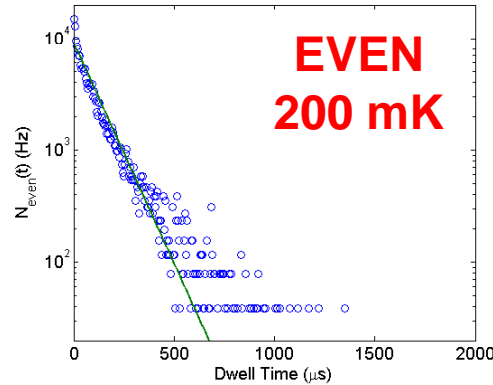
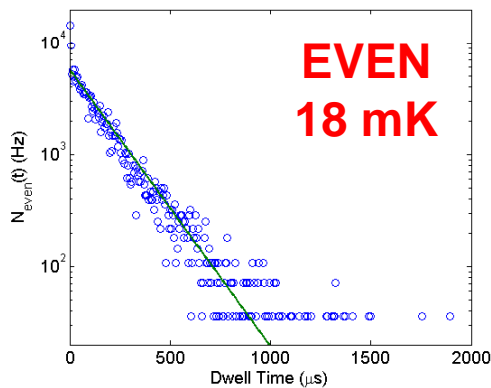


Dwell Time Histograms



Odd-to-even rate ~ 52 kHz at 18 mK

$$N_{odd}(t) \approx \frac{2^{4/3}}{\sqrt{3}} \frac{\Gamma_{oe}^N}{(\Gamma_{oe}^N t)^{1/3}} \exp\left(-3\left(\frac{\Gamma_{oe}^N t}{2}\right)^{2/3}\right)$$



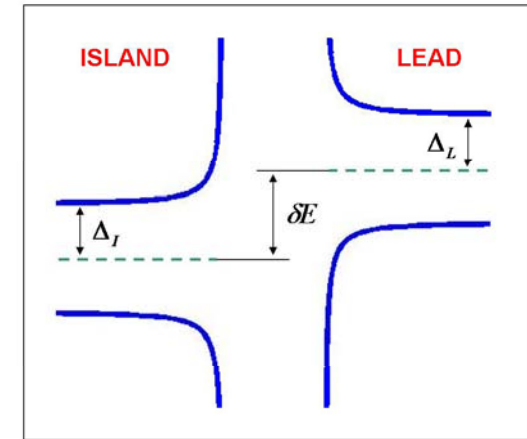
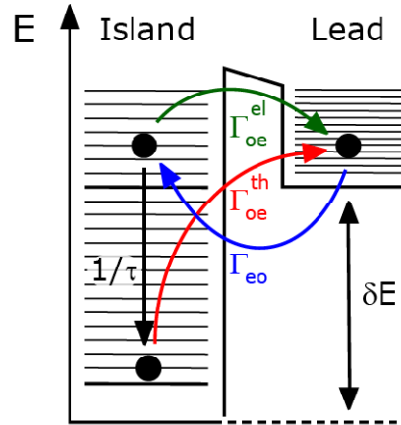
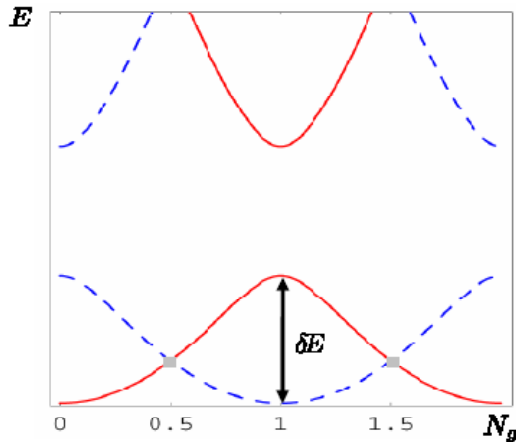
Even-to-odd rate ~ 5 kHz at 18 mK
at degeneracy point

$$N_{even}(t) = \Gamma_{eo} \exp(-\Gamma_{eo} t)$$

Odd-to-even dwell time distribution is non-Poissonian



Kinetic Theory



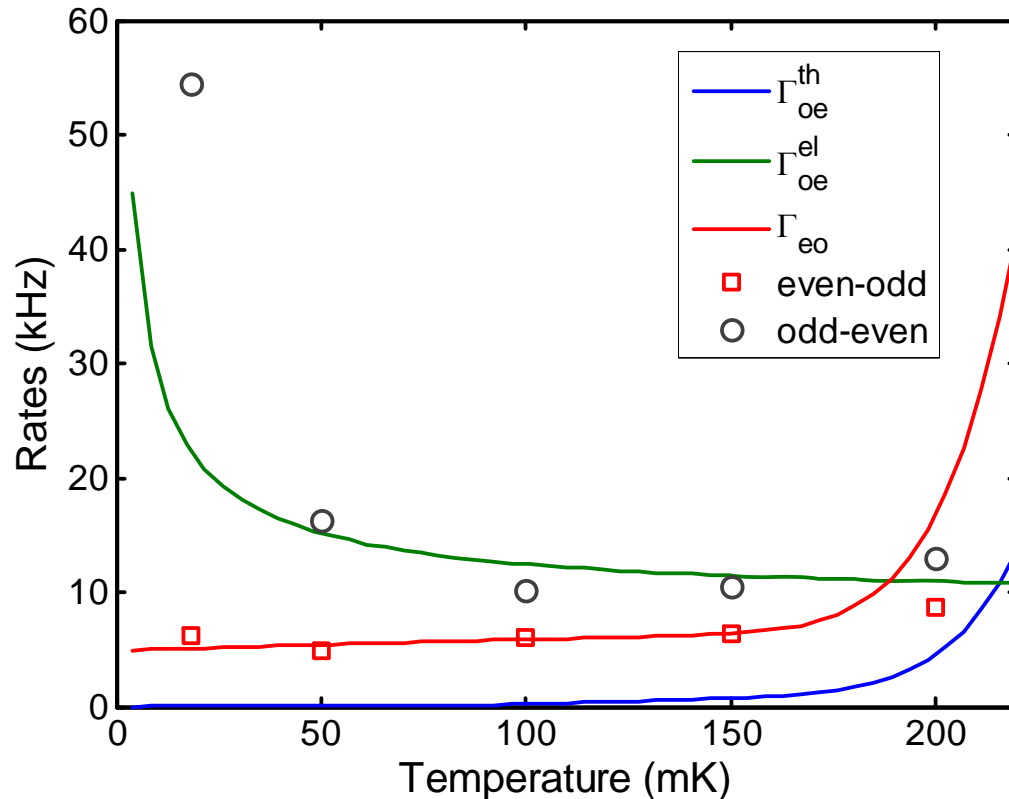
$$\Gamma_{oe} = \frac{G_N}{e^2} \int_{-\infty}^{\infty} dE \frac{1}{2} \left(1 - \frac{\Delta_I \Delta_L}{E(E + \delta E)} \right) g_L(E) g_I(E + \delta E) (1 - f(E - \delta \mu_L)) f(E + \delta E - \delta \mu_I)$$

destructive interference $\longrightarrow \left| \langle n+1 | H_T | n \rangle + \langle n+1 | H_T | n+2 \rangle \right|^2$

R. Lutchyn and L. Glazman, PRB 75, 184520 (2007)



Temperature Dependence



$$\Delta_I = 2.5K$$
$$\Delta_L = 2.6K$$
$$n_{qp} = 7 \times 10^{-20} m^{-3}$$

- Model predicts qualitative features of the data
- Predicts sharp rate increase at low temperatures
- Destructive interference term is necessary
- Direct experimental verification of Lutchyn's model



Conclusions



- Quasiparticle tunneling can be understood at low temperatures using a nonequilibrium kinetic theory
- Low-temperature tunneling can be suppressed using existing techniques
 - Island-lead gap engineering
 - Lead cooling with SIN junctions
 - Quasiparticle traps
- Problem contains some interesting physics