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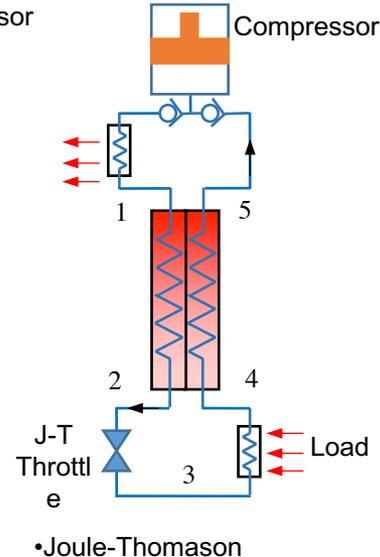
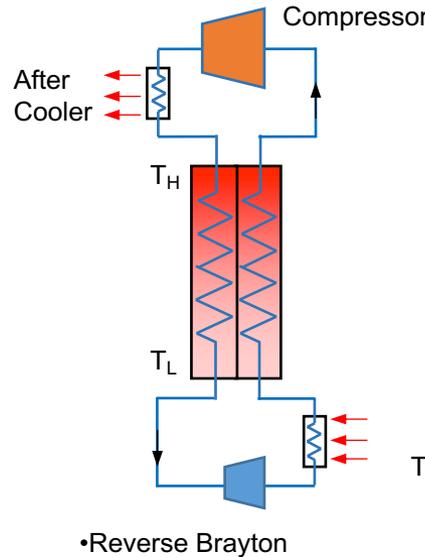
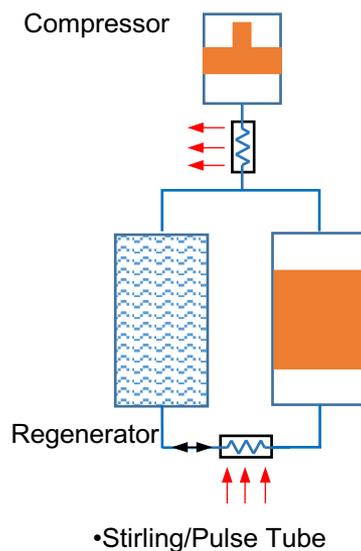
Performance Characteristics Comparison of Major Types of Mechanical Cryocoolers for Aerospace Applications

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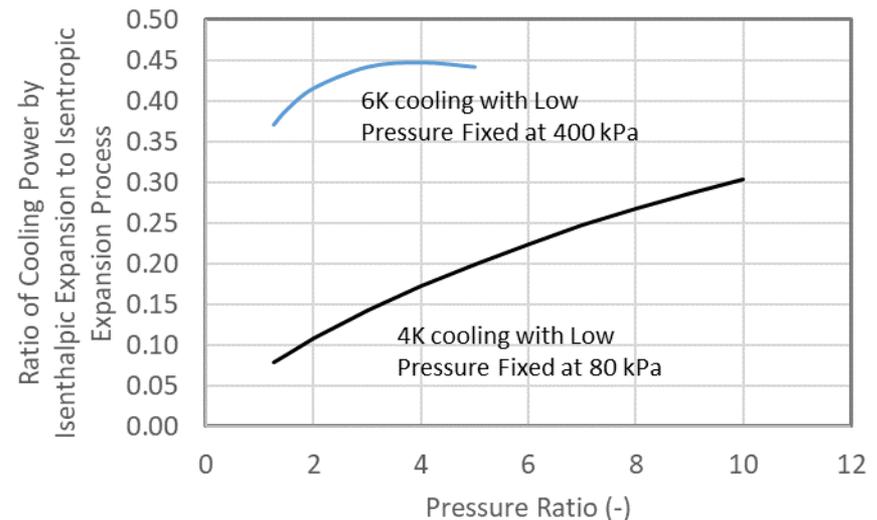
Introduction

- **Mechanical cryocoolers are a critical enabling technology for**
 - Aerospace imaging and sensing applications
 - In-space propellant zero boil-off storage
- **Major types aerospace mechanical cryocoolers**
 - Stirling/pulse tube, Reverse-Brayton (RB), and Joule-Thomson (J-T)
- **Similar operating principle in all mechanical coolers**
 - Compress gas and reject heat to heat sink
 - Recuperation/regeneration to cool compressed gas to cold end temperature
 - Expand compressed gas to produce cooling
- **Efficiency and specific mass of these coolers, however, can differ from each other significantly**



General Performance Features (1/2)

- **Stirling coolers**
 - Most efficient coolers for >20K cooling
 - For <20 K cooling, need exotic materials to stabilize regenerator temperature
 - Inability to provide remote distributed cooling
- **RB coolers**
 - High power density at high capacity
 - Much larger HX than other types of coolers for medium capacity cooling need
 - Challenging features and fabrication tolerances for compressors
- **J-T coolers**
 - High vulnerability to system contamination
 - Efficiency is low except for near 6 K applications
 - Isenthalpic expansion can achieve 45% of cooling power by isentropic expansion
 - For 4 K applications, Isenthalpic expansion can only achieves < 25% of (at PR=5) cooling power by isentropic expansion



General Performance Features (2/2)

	Stirling/Pulse Tube	Reverse Brayton	J-T
Flow Conf.	AC	DC	DC
Efficiency	High when $T_c > 20K$	High when input power is large	Modest for $< 10K$
Compactness	Compact	Relatively large HX	Compact, very small cold finger
Cooling capacity	Medium to low	Medium to high	Low
Exported vibrations	Low	Ultra-Low	Low to Ultra-Low
Remote distributed cooling	No	Yes	Yes
Main applications	Compact, efficient Single point cooling Upper stage for hybrid cooling	High capacity remote distributed cooling Applications very sensitive to vibrations	Low-temp., low-capacity remote distributed cooling Gyro stabilized gimbal platform

Main Losses in Cryocoolers

- **Compression loss**
 - **Non-isothermal compression process**
 - Temperature rise increases with pressure ratio
 - Mitigated with intercooling in a multistage compression system
 - Internal losses associated with motor losses, internal leakage, drag loss
- **Losses below warm end of recuperator/regenerator)**
 - **Expander gross cooling losses**
 - Drop in pressure ratio across expander
 - Non-isothermal expansion process
 - Parasitic loss in expander
 - **Convective heat leak into cold end**
 - Gas inlet temperature slightly warmer than old end due to limited convective conductance
 - Directly related pressure drop by heat transfer and momentum analogy
 - $\frac{d(UA)_{stream}}{dP} = 2 \frac{j}{f} \frac{1}{dl} \frac{1}{u} c_p P_r^{-2/3} D_h dA_s = 8 \frac{j}{f} \frac{1}{dl} \frac{P}{\dot{G}RT} c_p P_r^{-2/3} dV$
 - j/f is a non-dimensional ratio of heat transfer performance to pressure drop
 - » A figure of merit for heat transfer surface
 - **Axial conduction**

Overall Carnot Efficiency

- Efficiency equation is derived for RB cryocoolers with ideal gas flows
 - General trends are still applicable to J-T and regenerative coolers
- Optimal design needs to have proper balance between pressure ratio drop and HX size

Loss below HX Warm End

$$\eta_{comp, isothm} \frac{(T_H - T_L)}{T_H} \left[\left(1 - \frac{2 \Delta P / P}{\ln(P_{Ratio})} \right) \eta_{exp, isothm} - \frac{\dot{G}^2 (T_H - T_L) T_m c_p P_{r,m}^{2/3}}{4 \frac{j}{f} \frac{\Delta P / P}{\ln(P_{Ratio})} P^2 T_L} - \frac{\overline{k A C_{HX}}}{L_{HX}} \frac{(T_H - T_L)}{\dot{m} R T_L \ln(P_{Ratio})} \right]$$

↑ Compressor Eff ↑ Not recover expansion work ↑ Reduced P_{Ratio} ↑ Limited convective conductance ↑ Axial Conduction

$$\frac{\dot{m} c_p \Delta T_{HX}}{\dot{m} R T_L \ln(P_{Ratio})} = \frac{\dot{m} c_p}{\dot{m} R T_L \ln(P_{Ratio})} \frac{\dot{m} c_p (T_H - T_L)}{U A}$$

$$U A = 4 \frac{j}{f} c_p P_{r,m}^{-2/3} \frac{A_c^2}{\dot{m}} \frac{P^2}{R T_m} \frac{\Delta P}{P}$$

Implication for Cooler Design and Optimization

- Overall cooler efficiency is strongly dependent on normalized pressure drop
 - $\Delta P/P/\ln(P_{Ratio})$
- Loss due to limited convective HT is
 - Proportional to $1/P^2$
 - A higher P allows a proportionally higher ΔP
 - A higher P reduces flow velocity and allows the use of channel with smaller D_h , thus higher HTC
 - Proportional to \dot{G}^2
 - Reducing mass flux proportionally decreases HX heat load thus leads to a smaller HX
 - Decreasing mass flux proportionally enhances convective heat transfer for same pressure drop
- Nominal P in a regenerative cooler is ~ 10X that in an RB cooler
 - Lead to regenerators an order of magnitude smaller than recuperators in RB
- Nominal P and $\ln(P_{Ratio})$ in a JT cooler are ~ 5 X those in an RB cooler
 - Lead to JT recuperators more than an order of magnitude smaller than RB recuperators

Compressor Configurations

- **Compressor configurations**
 - **Centrifugal compressors**
 - Used in RB coolers
 - Very high power density due to very high operating speeds > 1 kHz
 - Suitable for high volumetric flow rate
 - Thus RB cooler is ideal for high capacity cooling
 - Optimal pressure is low for high compression efficiency
 - Typical low-side pressures: 1 atm
 - **Piston compressors**
 - Used in regenerative coolers and JT coolers
 - Suitable for operating at high system pressures: ~ 10 bar
 - Large piston diameter will increase challenge for heat removal and reduce resonant frequency
 - Thus input power can only be up to a few hundred watts
- **Optimal pressure ratio is**
 - Compromise between compression efficiency and cooler size and mass
- **The optimal system pressure is most controlled by compressor configuration**

Summary

- **Comparison of general performance characteristics of three main types of mechanical cryocoolers in aerospace applications**
- **An analytical expression for a cryocooler's Carnot efficiency is derived using Colburn-Chilton analogy**
- **Allowable ΔP scaled with $P \ln(P_{Ratio})$ for the same thermodynamic efficiency**
- **Higher P or pressure ratio reduces HX size and mass**
- **Different compressor technologies employed in coolers cause significantly different system pressures and pressure ratios**
 - **HX sizes and overall cooler sizes are quite different from each other**