



# Impact of Fluid Flow Pressure drop on Temperature of Components Controlled by Mechanically Pumped Fluid Loop Thermal Control System

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## Question:

**Is Pressure Drop in a Fluid Loop Heat Rejection System a “Wall” not to be crossed?**

## Answer:

**Not really (within limits, of course) 😊**





# Outline of Presentation

- Concerns
- Cause → Effect Linkage
- Process
- Pressure drop and operating point estimation
- Key pump characteristics
- Thermal Conductance Estimation
- Reduction of key interface temp. margins & survival power increases due to  $\Delta P$  increases
- Summary
- Key Conclusions

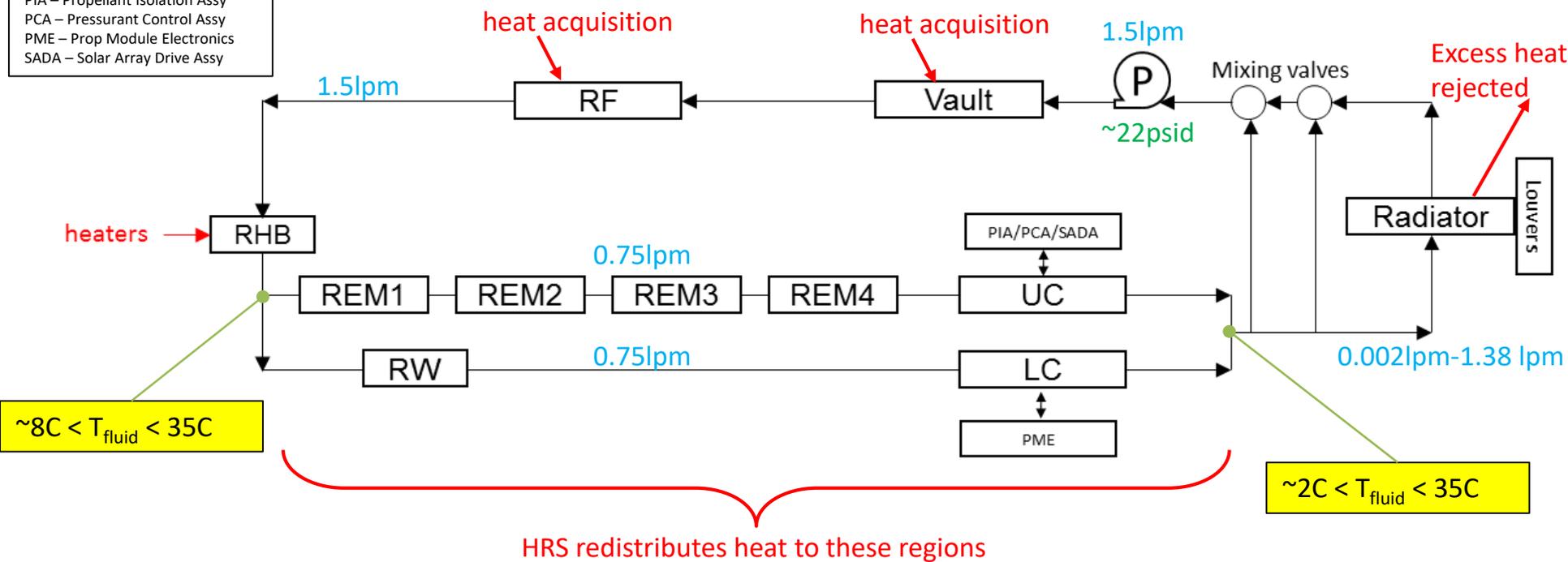




# Simplified Clipper HRS Fluid Loop Schematic



REM – Rocket Engine Module  
 RF – Radio Frequency  
 RW – Reaction Wheels  
 UC – Upper Cylinder  
 LC – Lower Cylinder  
 PIA – Propellant Isolation Assy  
 PCA – Pressurant Control Assy  
 PME – Prop Module Electronics  
 SADA – Solar Array Drive Assy





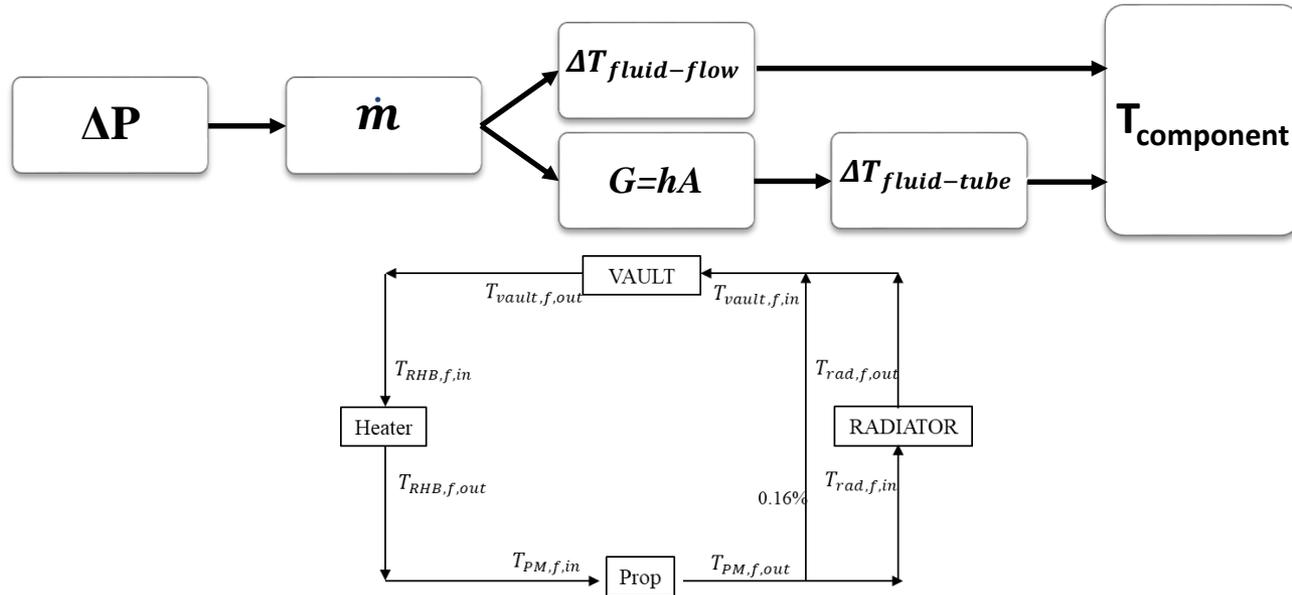
# The Concern

- Pressure drop in Mechanically Pumped Fluid Loop Heat Rejection System (HRS) is due to tubing, fittings, etc.
- The typical “minor” pressure drops, beyond the straight lengths of tubing, can potentially be the “primary”  $\Delta P$ 
  - Accounting for straight length  $\Delta P$ s is relatively simple and accurate (textbook correlations)
- **But accounting for “minor” losses by analytical means is not easy**
  - Large variance in estimating methods
  - Only accurate way is to measure them in test setup to simulate flight configuration
  - Tests are performed much later but need to be solidified much earlier to finalize design
- **Hence  $\Delta P$  estimates could have large error bars in estimation & due to incompleteness of design**
- ***The concern was that if there were large  $\Delta P$  estimates, they could lead to temperature violations at the key interfaces***
  - *Which would be problematic & difficult to overcome*





# The Cause → Effect Linkage

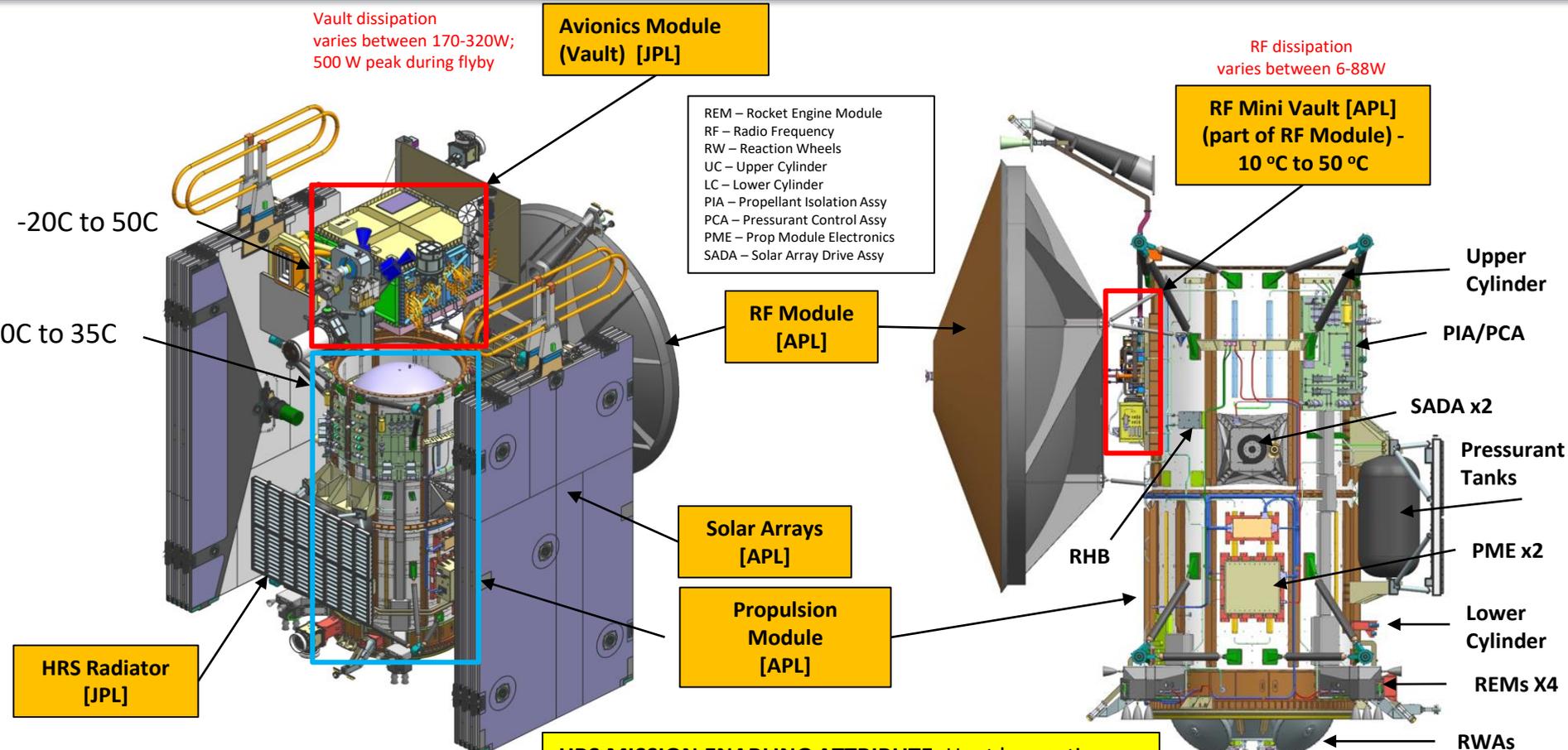


- So higher pressure drops would lead to warmer interface temperatures
- If interfaces are close to their allowable limits, larger  $\Delta P$ s could potentially result in temperature violations
- **Hence a sensitivity study of temperature predictions to pressure drop is warranted, and is the thrust of this presentation**



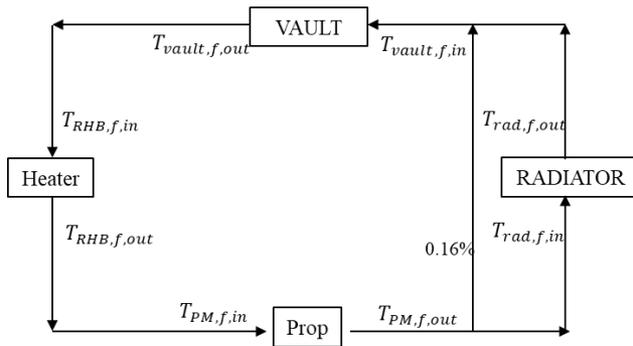
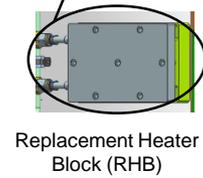
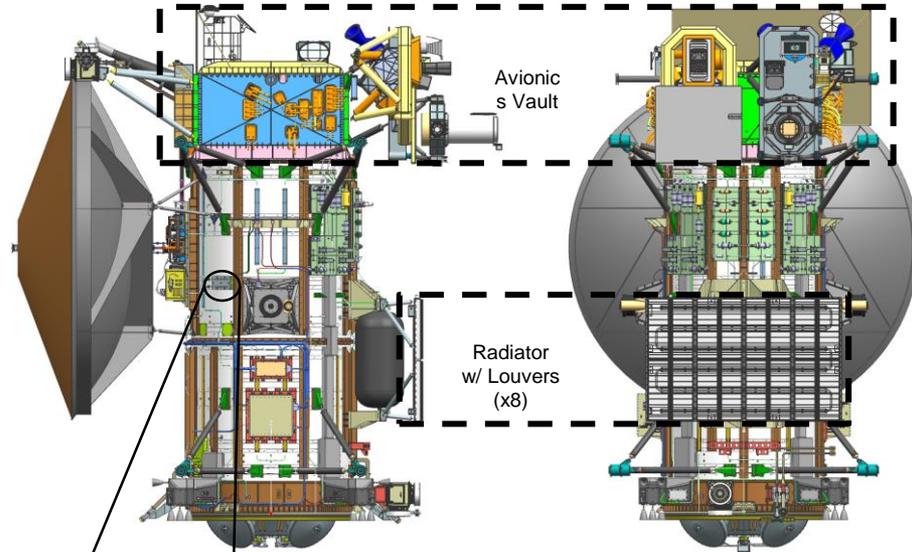
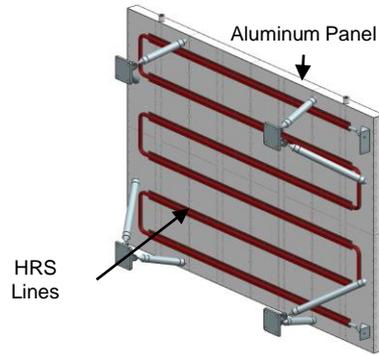
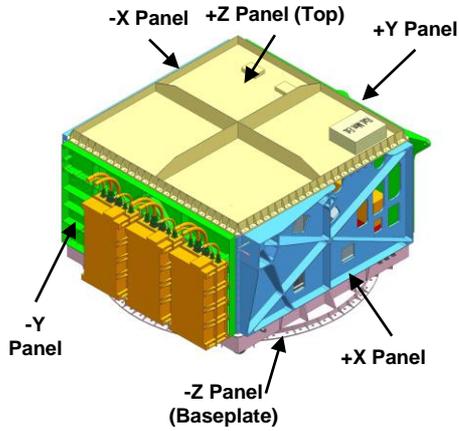


# Case Study: Europa Clipper





# Europa Clipper HRS





# Pressure Drop Estimation

- List all contributors to  $\Delta P$
- Use known references for each item above to estimate nominal conservative  $\Delta P$ s for any flow rate
- Inflate the  $\Delta P$ s so estimated by a variable (increased) error of 10% to 100% in steps and tabulate

**Table 11. Representative Equivalent Length in Pipe Diameters (L/D) of Various Valves and Fittings**

Globe valves, fully open	450
Angle valves, fully open	200
Gate valves, fully open	13
¾ open	35
½ open	160
¼ open	900
Swing check valves, fully open	135
In line, ball check valves, fully open	150
Butterfly valves, 6 in and larger, fully open	20
90° standard elbow	30
45° standard elbow	16
90° long-radius elbow	20
90° street elbow	50
45° street elbow	26
Standard tee:	
Flow through run	20
Flow through branch	60

Compiled from data given in "Flow of Fluids," Crane Company Technical Paper 410, ASME, 1971.

**Table 10. Representative Values of Resistance Coefficient K**

Sharp-edged inlet $V \rightarrow K=0.5$	Inward projecting pipe $V \rightarrow K=1.0$	Rounded inlet $V \rightarrow K=0.05$																
Sudden contraction																		
	<table border="1"> <thead> <tr> <th>D/d</th> <th>1.5</th> <th>2.0</th> <th>2.5</th> <th>3.0</th> <th>4.0</th> </tr> </thead> <tbody> <tr> <td>K</td> <td>0.28</td> <td>0.36</td> <td>0.40</td> <td>0.42</td> <td>0.44</td> </tr> </tbody> </table>		D/d	1.5	2.0	2.5	3.0	4.0	K	0.28	0.36	0.40	0.42	0.44				
D/d	1.5	2.0	2.5	3.0	4.0													
K	0.28	0.36	0.40	0.42	0.44													
Gradual reduction $K=0.05$																		
Sudden enlargement $K=K' \left[1 - (d/D)^2\right]^2$																		
Gradual enlargement $K=K' \left[1 - (d/D)^2\right]^2$																		
<table border="1"> <thead> <tr> <th>(D-d)/2L</th> <th>0.05</th> <th>0.10</th> <th>0.20</th> <th>0.30</th> <th>0.40</th> <th>0.50</th> <th>0.80</th> </tr> </thead> <tbody> <tr> <td>K'</td> <td>0.14</td> <td>0.20</td> <td>0.47</td> <td>0.76</td> <td>0.95</td> <td>1.05</td> <td>1.10</td> </tr> </tbody> </table>			(D-d)/2L	0.05	0.10	0.20	0.30	0.40	0.50	0.80	K'	0.14	0.20	0.47	0.76	0.95	1.05	1.10
(D-d)/2L	0.05	0.10	0.20	0.30	0.40	0.50	0.80											
K'	0.14	0.20	0.47	0.76	0.95	1.05	1.10											
Exit loss = (sharp edged, projecting, Rounded), $K=1.0$																		

Compiled from data given in "Pipe Friction Manual," 3rd ed., Hydraulic Institute, 1961.

Minor Components	K Factor	L/D	L/D based on Vaulf Friction factor
90deg street elbow	1.85	47	Reference 1: Marks' Standard Handbook for Mechanical Engineers for street elbows
90deg standard elbow	1	26	Reference 1: Marks' Standard Handbook for Mechanical Engineers for standard elbows
90deg standard elbow: screwed R/a = 2	1.820	47	Reference 4: Check: Equation 10.9 has typo, should be 0.5/ instead of 0.5"; also not good approx. for turbulent flow
90deg standard elbow: Long Radius R/a = 3	0.993	25	Reference 4: Check: Equation 10.9 has typo, should be 0.5/ instead of 0.5"; also not good approx. for turbulent flow
90deg smooth bends in circular pipe	0.340	9	Reference 3: Turbulent flow Re=4000, moderate bends R/D =>1.8, >80
180deg bends	3.7	95	Reference 1: Double of the 90deg street elbow K factor?
180deg standard elbow: Long Radius R/a = 3	1.448	37	Reference 4: check; Equation 10.9 has typo, should be 0.5/ instead of 0.5"
180deg standard elbow: screwed R/a = 2	2.688	69	Reference 4: check; Equation 10.9 has typo, should be 0.5/ instead of 0.5"
180deg smooth bends in circular pipe	0.521	13	Reference 3: Turbulent flow Re=4000, moderate bends R/D =>1.8
Tee Fittings - line flow	0.8	20	Reference 1: to match L/D of 20 @ 0.75 gpm
Tee Fittings - branch	2.35	60	Reference 1: to match L/D of 60 @ 0.75 gpm
Mechanical Fittings	0.8	20	Reference 2: Expansion and Contraction - doubled from k = 0.4 for 0.028" walls

Total Pressure drop external to IPA	psid	10.916
Total Pressure drop due to IPA only	psid	7.860
TOTAL HRS SYSTEM DELTA P	psid	18.776
TOTAL DELTA P + 50% Error	psid	28.164
TOTAL DELTA P + 60% Error	psid	30.041
TOTAL DELTA P + 70% Error	psid	31.919

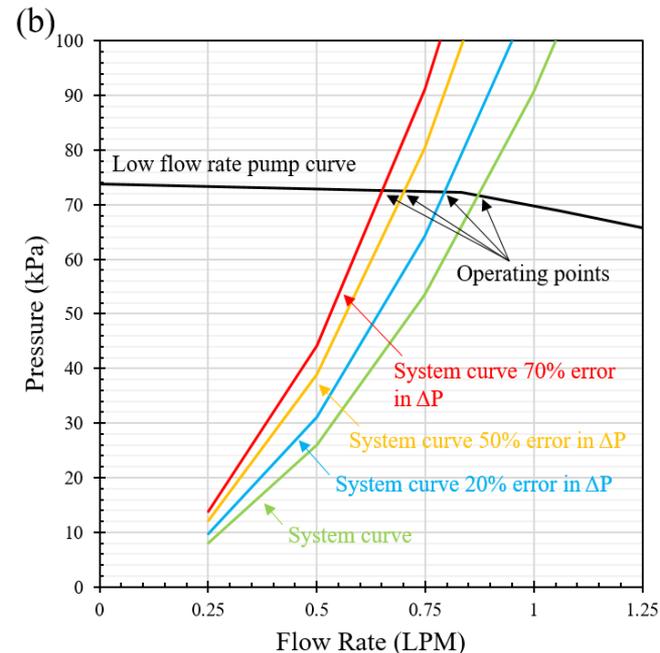
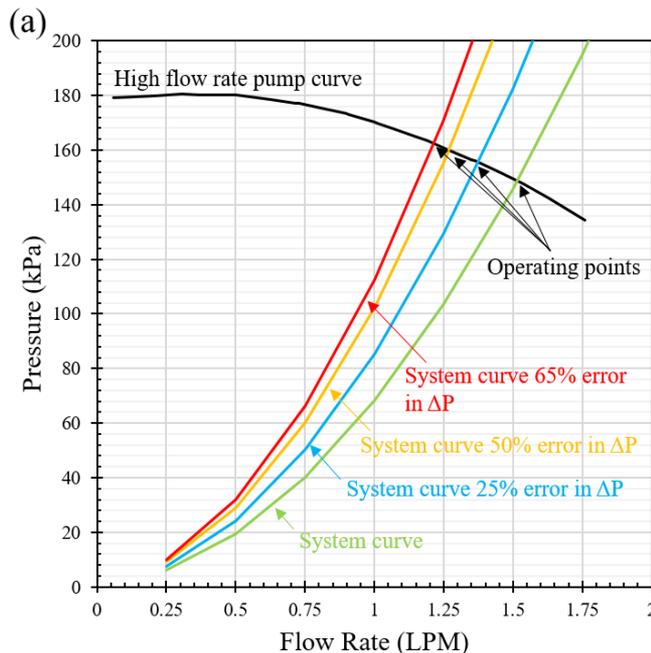




# Operating Point Determination



1. Create line  $\Delta P$  vs. flow rate curve (almost parabolic)
2. Plot pump curve provided by vendor from test or extrapolated data
3. Find intersection of these two curves to represent **operating point** of overall system ( $\Delta P$  and flow rate)





# Process for Estimating Component Temperatures



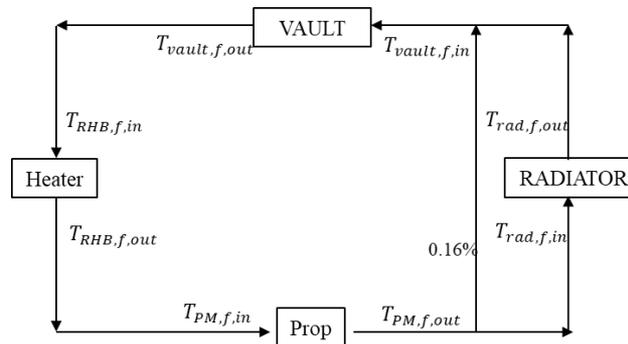
- Use this resultant flow rate to compute fluid temperature distribution in the HRS at all key components
  - Using predicted heat inputs and outputs from each key module

$$\dot{m}c_p(T_{f,out} - T_{f,in}) = Q = \epsilon\sigma A_s T^4$$

$$G = \frac{1}{R} = \left( \frac{1}{hA} + \frac{1}{G_{tube}} \right)^{-1}$$

$$T_i = T_{f,out} + Q/G$$

- Compare this against the Max Temperature Limits





# Examples Of Impact of $\Delta P$ Error on Flow Rates & Thermal Conductance (I)

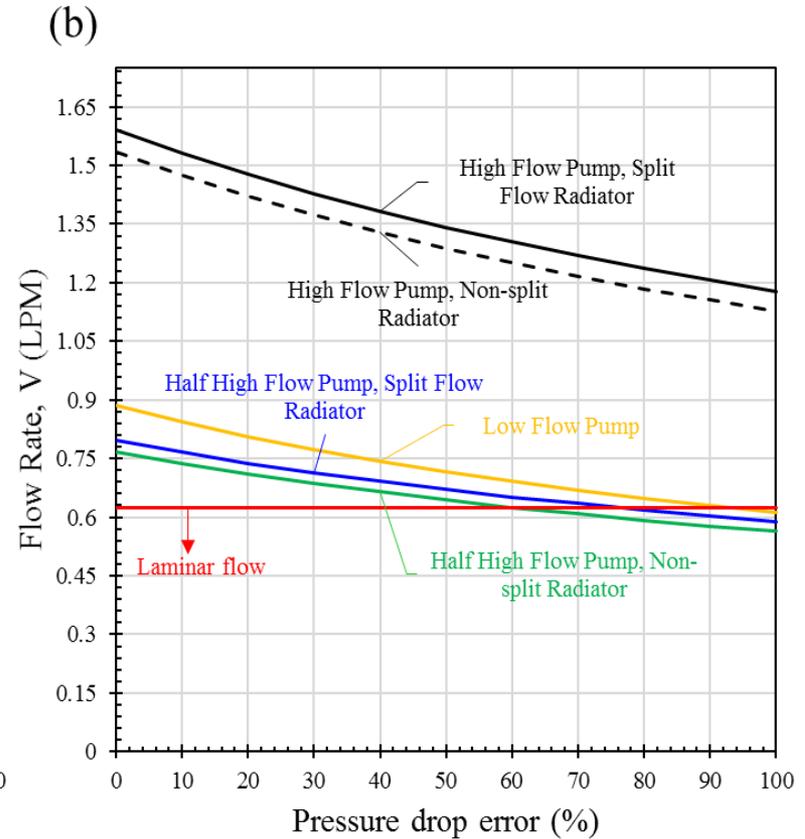
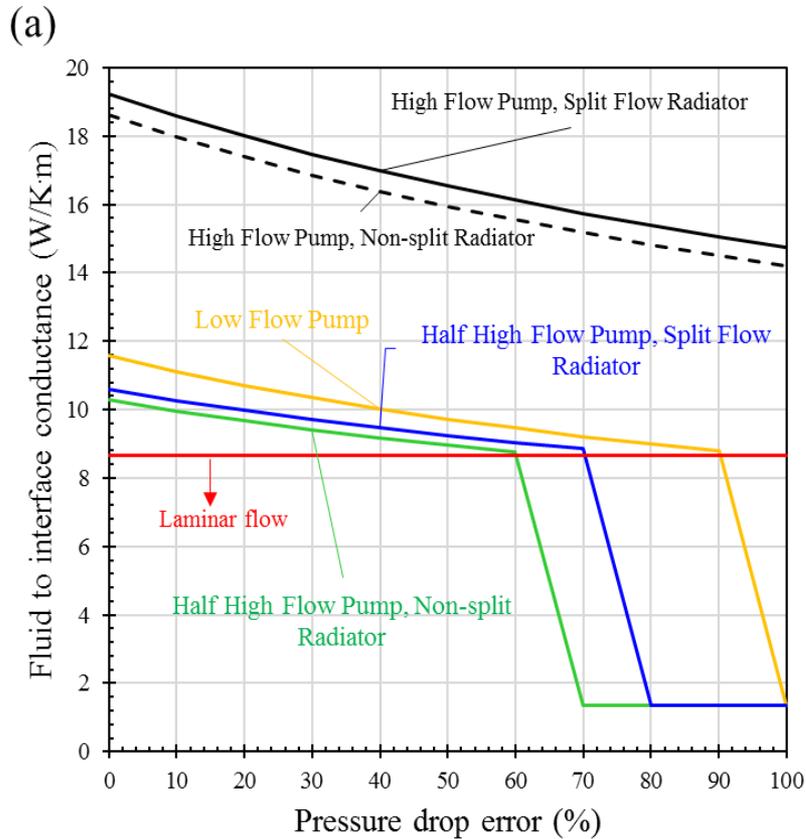
Operating Cases	% $\Delta P$ Error	Flow Rate V	Conductance G
a Low flow rate pump	0%	0.89 LPM	11.6 W/m-C
	90%	0.63 LPM	8.8 W/m-C
b High Flow rate pump with split PM	0%	1.53 LPM	18.6 W/m-C
	60%	1.25 LPM	15.5 W/m-C
c High flow rate pump with split PM and radiator	0%	1.59 LPM	19.2 W/m-C
	70%	1.27 LPM	15.7 W/m-C

- **Low Flow Pump (no splitting):**
  - **90% increase in  $\Delta P$  leads to only 30% reduction in flow & 24% in G**
- **High Flow Pump (Split PM, Radiator Un-Split):**
  - **60% increase in  $\Delta P$  leads to only 20% reduction in flow & 17% in G**
- **High Flow Pump (Split PM & Radiator):**
  - **70% increase in  $\Delta P$  leads to only 20% reduction in flow & 20% in G**





# Examples Of Impact of $\Delta P$ Error on Flow Rates & Thermal Conductance (II)

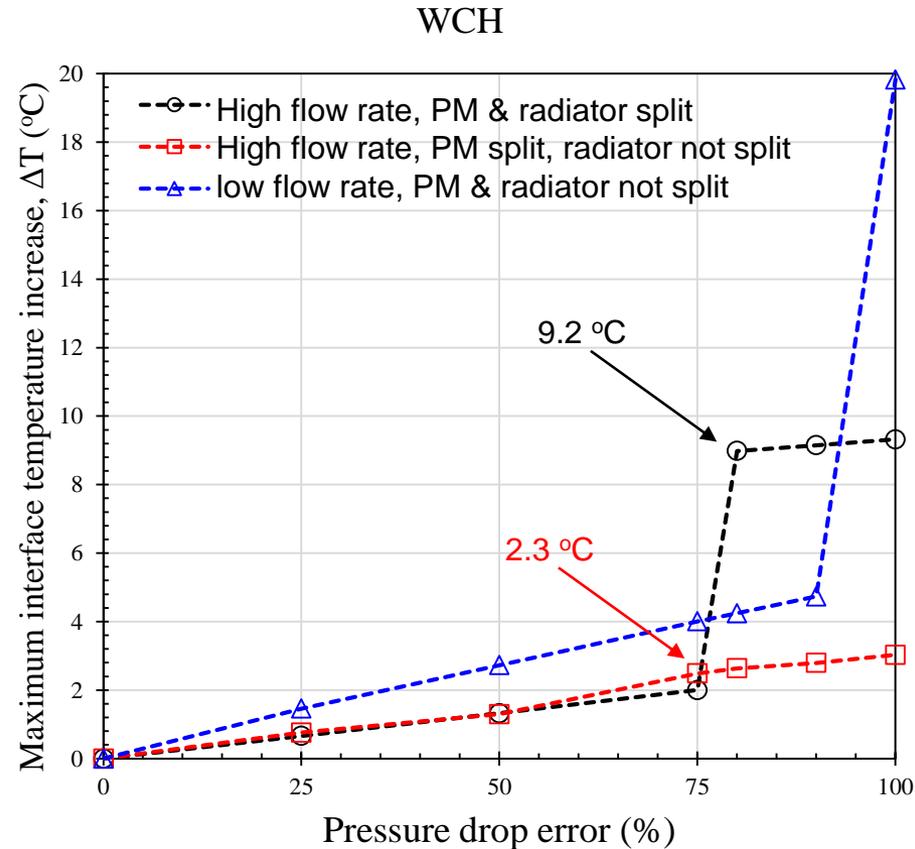




# Worst Case Hot $\Delta T$ Impact



- Clipper Design is robust with respect to pressure drop (split or no split radiator)
  - $<2^{\circ}\text{C}$  increase in T due to 75% error in  $\Delta P$  for high flow system
  - $<5^{\circ}\text{C}$  increase in T due to 90% error in  $\Delta P$  for low flow system
- Linear increase in  $\Delta T$  vs pressure drop in turbulent flow regime
  - Sharp increase in  $\Delta T$  when flow becomes laminar for low & high flow rate split radiator case

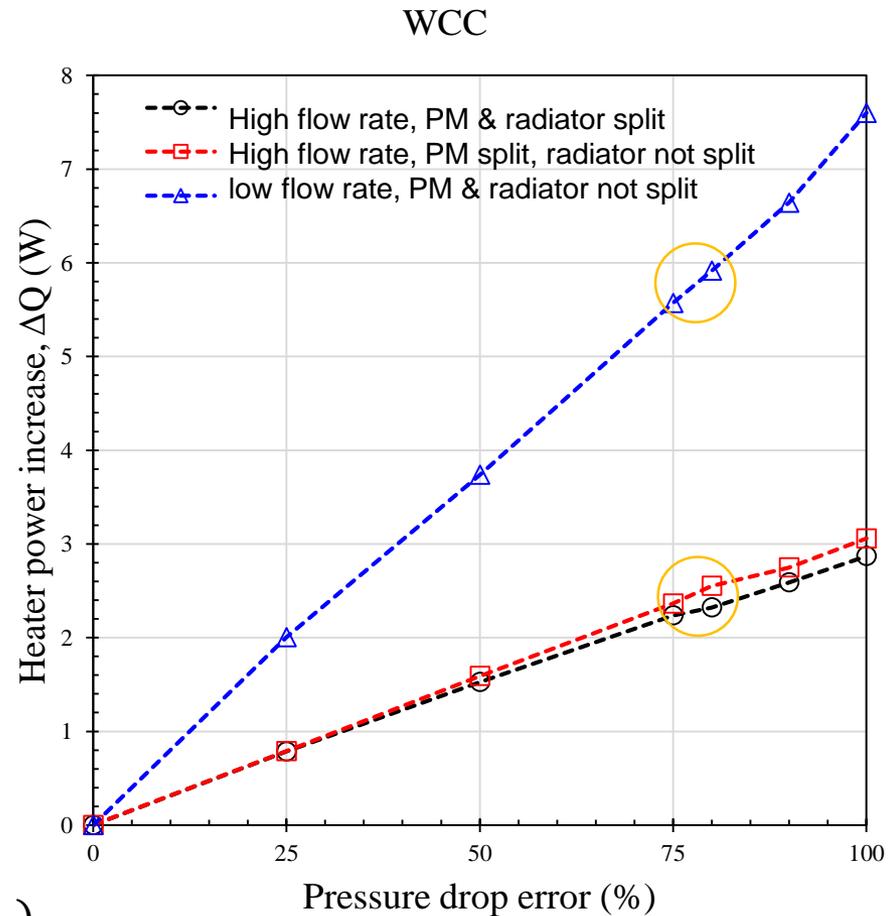




# Worst Case Cold Survival Power Impact

- High flow rate design is robust with respect to  $\Delta P$  (regardless of radiator routing)
  - **<3 W (<2.5%) increase in  $Q_{heater}$  due to 75% increase in pressure drop**
  - **Linear increase in heater power required to maintain AFTs with  $\Delta P$**
- Low flow rate design requires more heater power compared to high flow rate for same  $\Delta P$  error

$$\Delta Q = Q_{heater}(0\% \Delta P_{error}) - Q_{heater}(\Delta P_{error})$$





# Summary

- A comprehensive study of sensitivity of max temp. violations (WCH) & Survival power increases (WCC) to  $\Delta P$  increases in an HRS was undertaken
- Most up to date pump curves provided by pump vendor were employed
- All components in flow path were accounted
- Errors of up to 100% in estimated HRS  $\Delta P$  were analyzed
- Critical flow rates required to avoid laminar flow in tubing was estimated to ensure that thermal conductances remain acceptably high





# Key Conclusions

- **A major finding was that Clipper HRS is very robust to accommodating  $\Delta P$  increases above the most conservative estimated values**
- $\Delta P$  increases of as much as 60% to 90% above the most conservative values lead to relatively small reductions in margins against max temp. limits & relatively small increases in required survival powers
- Hence this study gives confidence in robustness of Clipper HRS to  $\Delta P$  increases due to estimating processes or change in configuration maturation
- **It also dispels the notion that pressure drop is generally a “wall” which is impermeable or cannot be crossed without very adverse impacts**
- Flow being laminar - because of excessive pressure drops - is more drastic in consequence (more of a “wall”) due to the large increase in interface temperatures
- Even though this study was done for a specific HRS, the methodology presented in this paper can be utilized for different configurations utilizing single phase fluid loop HRS for thermal control





# Acknowledgements

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- **Government sponsorship acknowledged**





# Questions & Answers?

