

Theoretical Challenges Dark Energy Detection

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Theoretical Challenges

Non Linearities

Non Linearity and multiples sources

$$\phi_{\text{tot}} = \phi_A + \phi_B + \phi_{\Delta}$$

Departure from superposition

- Chameleon

Standard approach: if $m_B \ll m_A$, B does not modify force from A

- Vainshtein

Violation of Equivalence Principle



Hiramatsu et al, '13: mass dependent screening of Source A close to Source B

Confirms Standard approach when $m_B \ll m_A$

What happens far away from sources?

- Saddle points?
- Special regions with three sources? Geometry dependence of Vainshtein

Bloomfield et al '15

Non Linearity and shape dependence

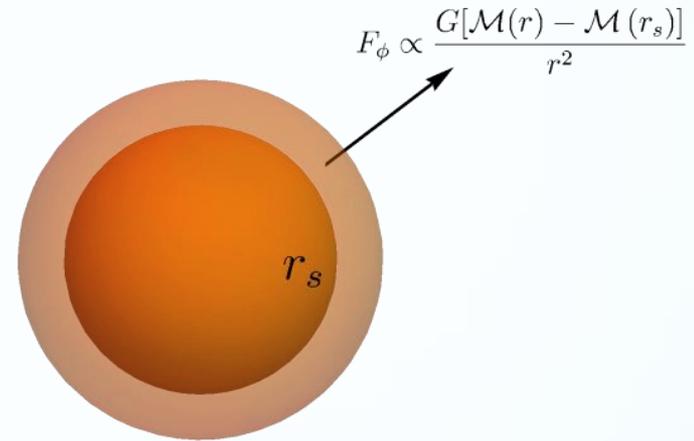
- Chameleon

Thin shell effect



shape dependence?

Burrage et al '17: increased force for shapes that minimize some internal dimension



Credit: Burrage and Sakstein, '17

- Vainshtein

Non linear term $\sim [(\partial_i \partial_j \phi)^2 - (\Delta \phi)^2]$

Bloomfield et al '15: screening depends on geometry

- Planar: no screening
- Cylindrical: suppression r/r_V
- Spherical: suppression $(r/r_V)^{3/2}$

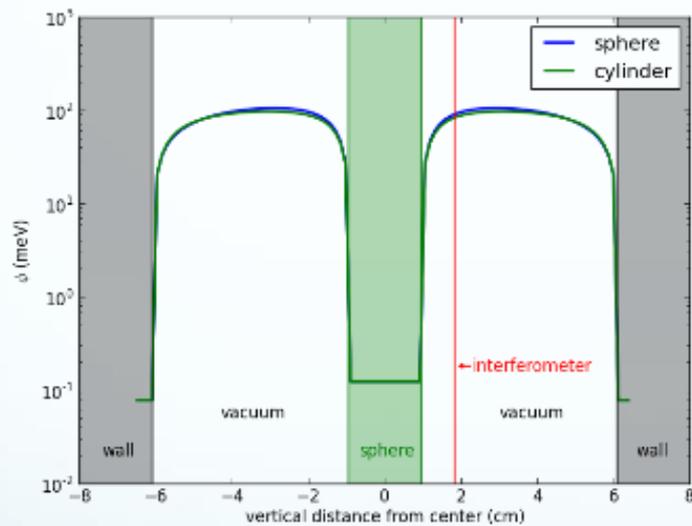
$$[(\nabla_\mu \nabla_\nu \phi)^2 - (\square \phi)^2]$$

Ultra relativistic sources?

Boundary Conditions

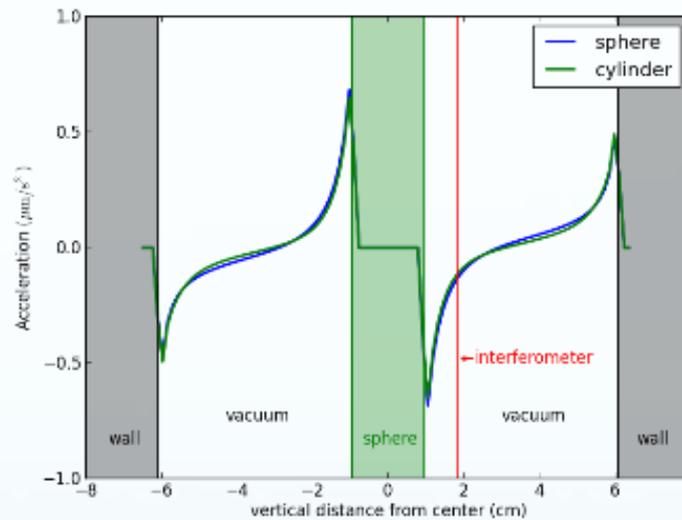
- Chameleon

Short ranged inside dense object: shielded from exterior



(a) Field profile

Credit: Elder et al '16

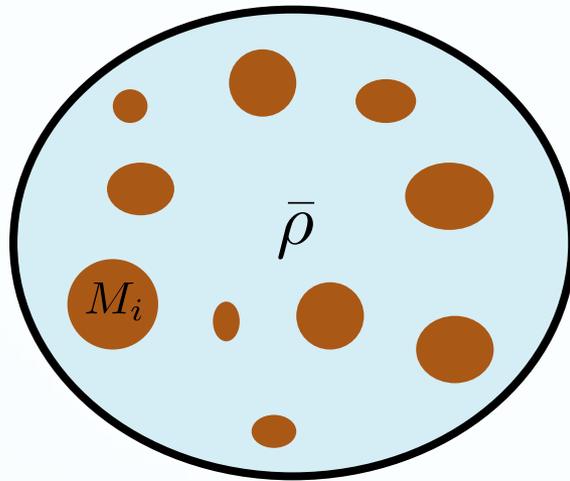


(b) Acceleration

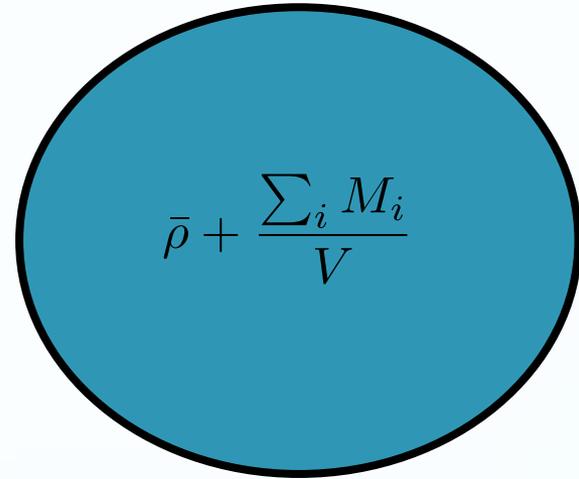
Ideal for lab experiments
see e.g. Hamilton et al '15

What about open space? How to set boundary conditions? No Birkhoff theorem

Boundary Conditions



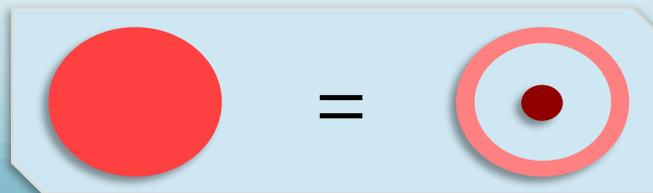
?
=



$$\Delta\phi + N(\phi) = \alpha \left[\bar{\rho} + \frac{\sum_i M_i}{V} \right] \xrightarrow{\text{Far from sources}} \Delta\phi \simeq \alpha \left[\bar{\rho} + \frac{\sum_i M_i}{V} \right]$$

- **Chameleon:** *not* true due to thin shell effect $\longrightarrow V(\phi)$
- **Vainshtein:** for Galileons, EOM $\nabla \cdot G(\phi) \sim \rho \longrightarrow$ Birkhoff theorem?

Spherical Symmetry:



Other geometries?

Theoretical Challenges

Broader Picture

Testing Screening

Screening is **model dependent**

- **Universal/Common behaviors?**
 - Deviation from inverse square law?
 - Violation of equivalence principle?
 - Difference photon – massive particles?
- **Connection to Cosmology difficult**
 - How to interpret parameters?

Interplay with Cosmology

- Non linear regime demands **N-Body simulations**

Model dependent

Implementation in dark matter codes → thin shell effect accounted for?

- **Effective** approach linear theory

Only one code needed (e.g. hi-class)

Extensions to treat screening?

Conclusion

In practice, screening is difficult:

No superposition of solutions

Strong geometry dependence

Backreaction problems can complicate boundary conditions

More generally, testing screening is even harder:

Very model dependent

Connection to cosmology not
always obvious



Effective description?