



Jet Propulsion Laboratory
California Institute of Technology

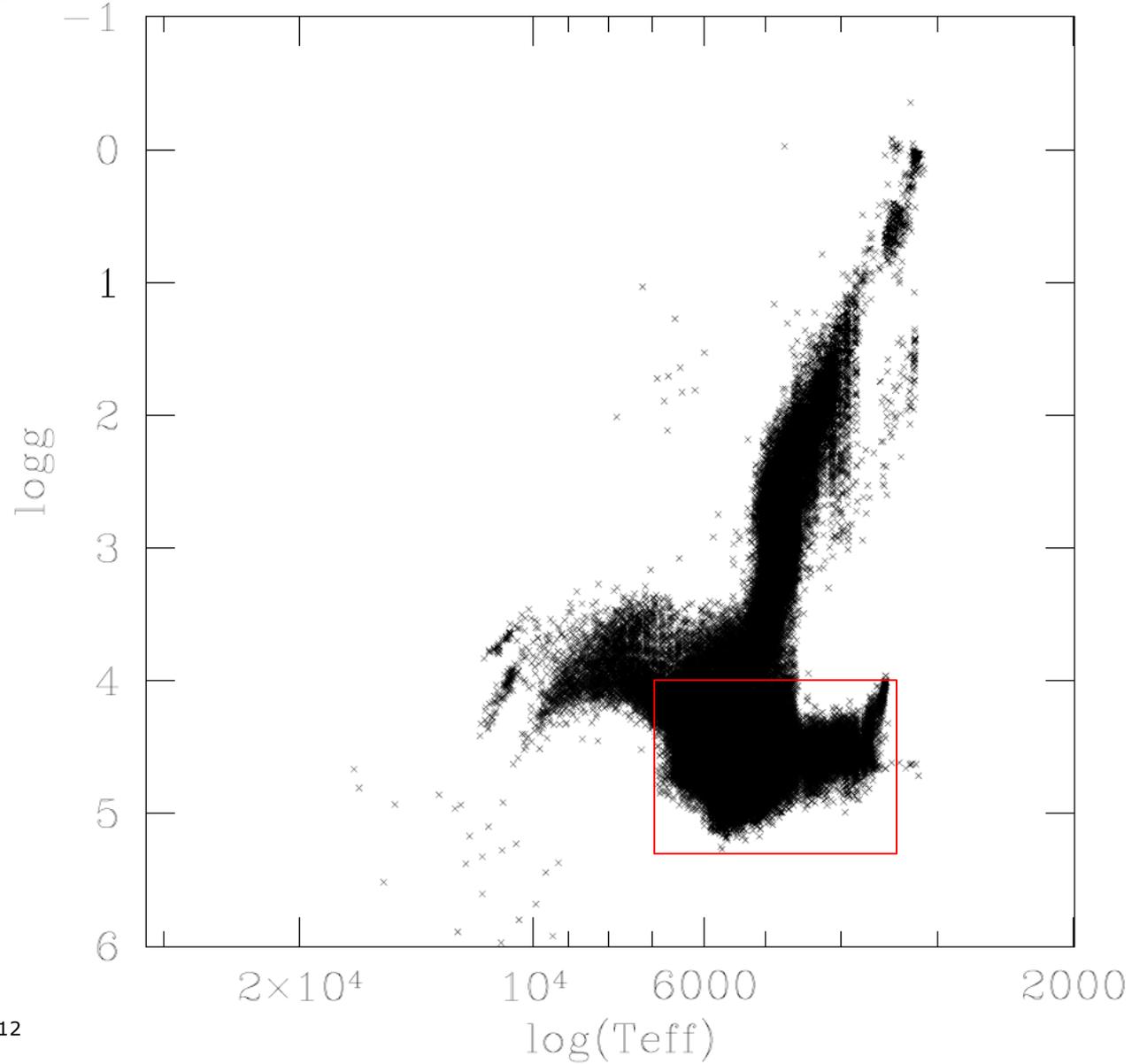
An Eta-Earth Projection, Based on a New Analysis of Kepler Completeness

Wesley A. Traub

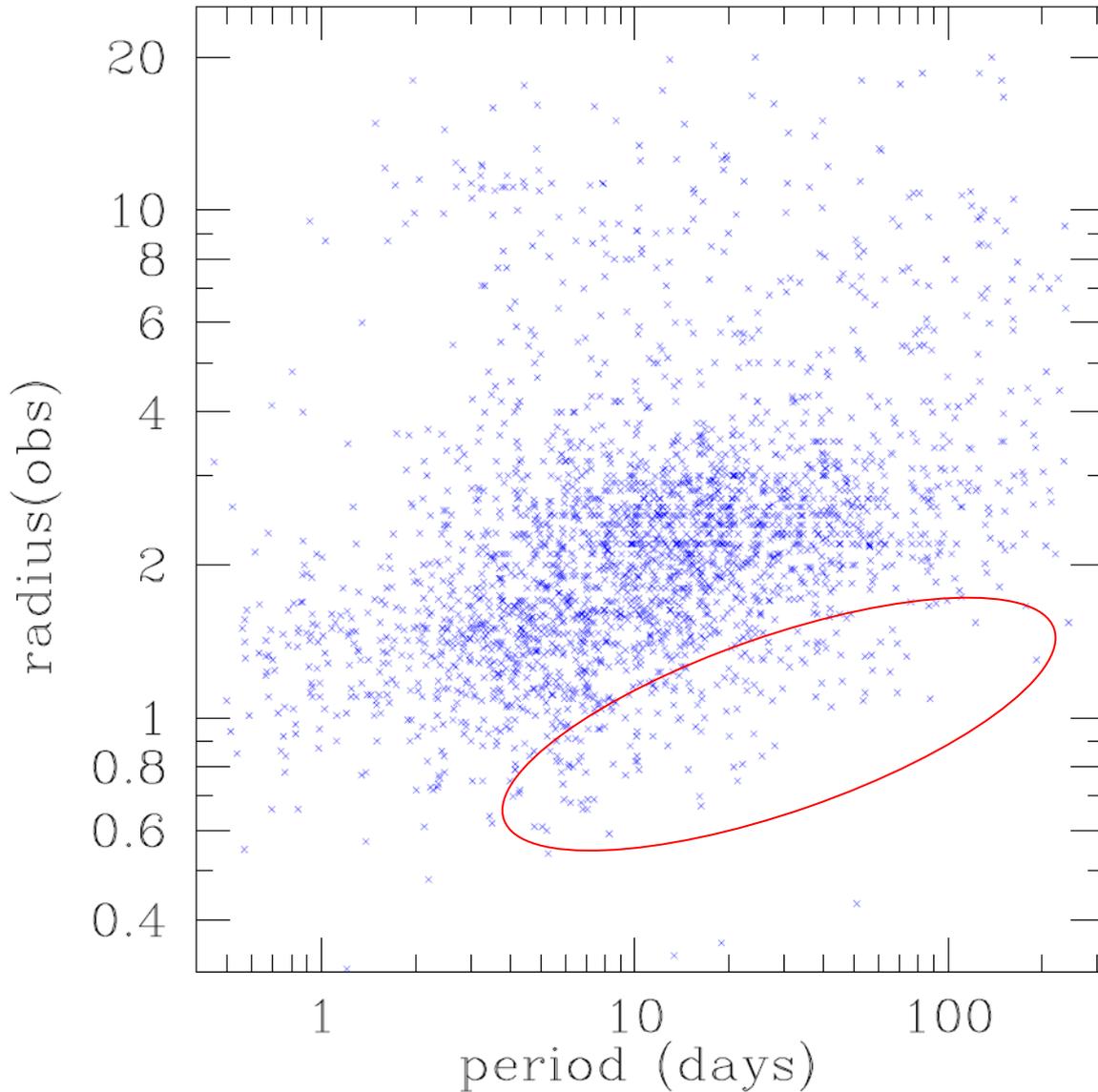
Jet Propulsion Laboratory, California Institute of Technology

Kepler 2nd Science Conference, NASA Ames, CA
4-8 Nov. 2013

Select 3200-7000K, $\log g > 4.0$



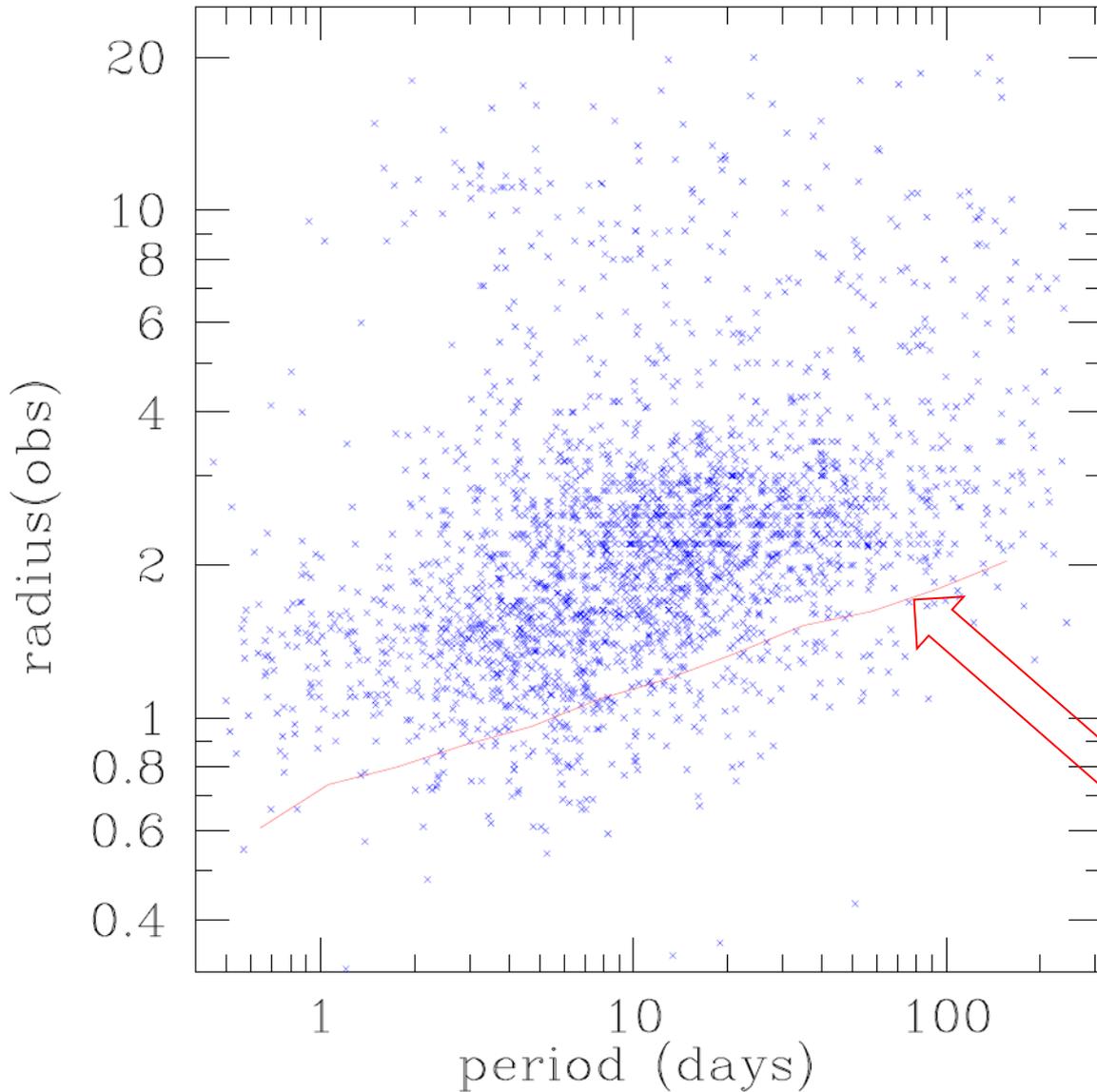
Missing small planets at long periods



Very few small planets
at longer periods:

Nature or Bias?

Missing small planets at long periods



Average noise-limited
minimum radius
(scaled by 70%)

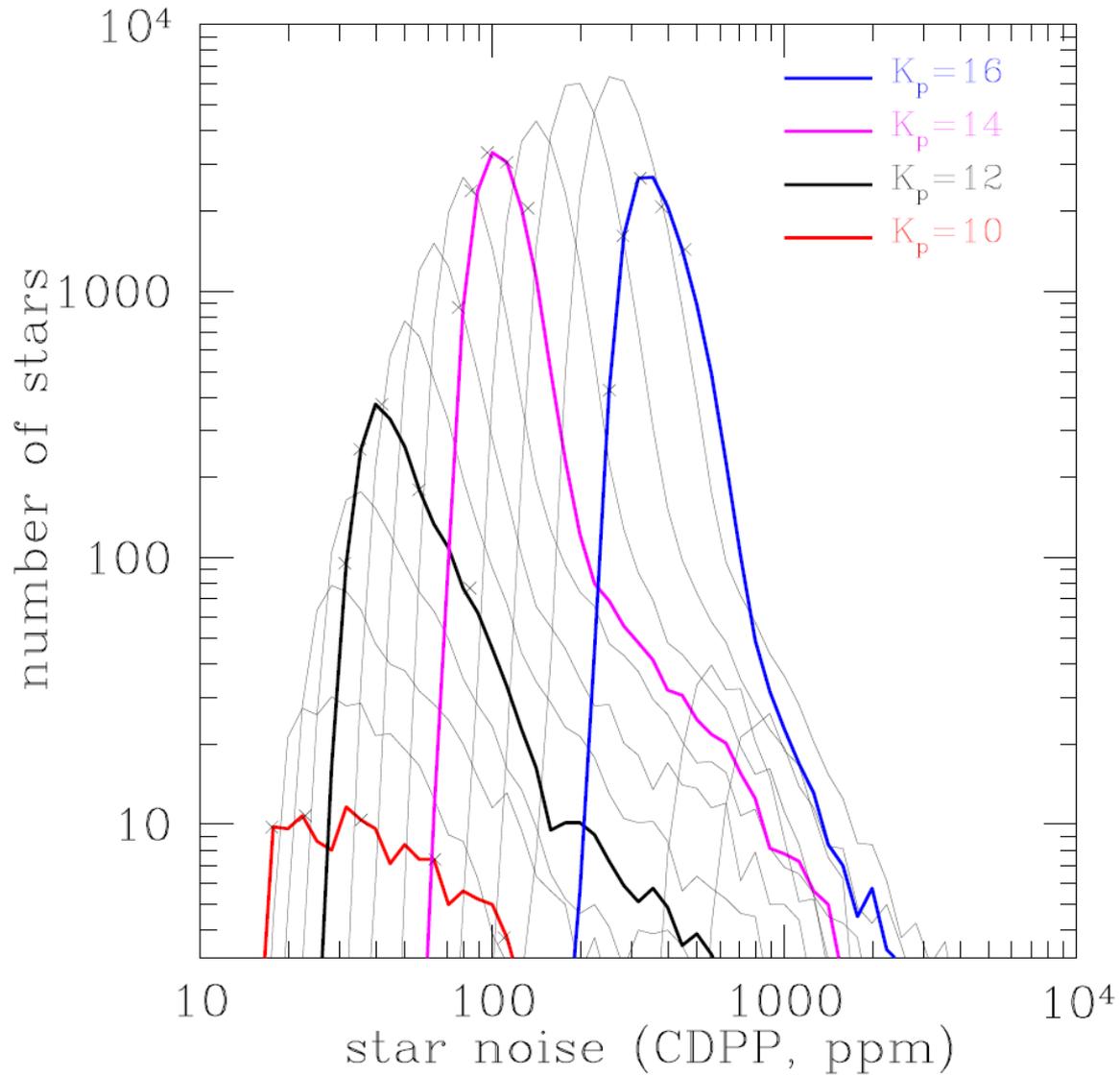
Must be a noise bias

Minimum detectable planet

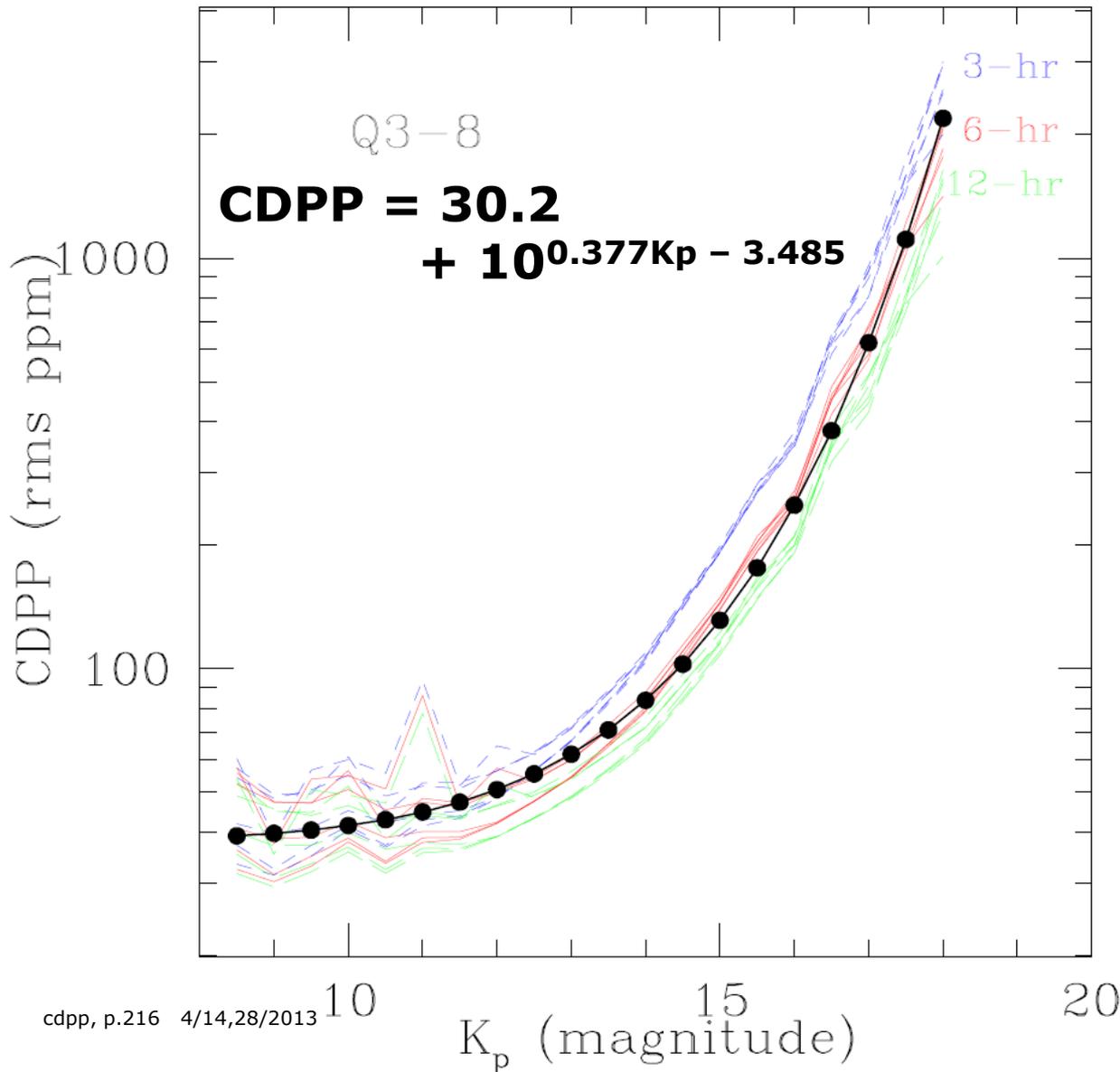
From first principles,
for SNR = 7 detection criterion,
for $T_{\text{mission}} = 2 \text{ yr}$ & duty cycle = 92%,
& $S/N \sim 1/t^{0.32}$ (not $1/t^{0.50}$),
the minimum detectable planet radius is r_{min} :

$$\begin{aligned} r_{\text{min}}/r_{\oplus} &= 0.0389 \\ &\times (\text{cdpp6}_{\text{ppm}})^{1/2} \\ &\times (r_{\text{star}}/r_{\text{sun}})^{0.947} \\ &\times (P_{\text{days}})^{0.197} \\ &\times 10^{0.0533 \log(g)} \end{aligned}$$

Faint stars have more noise



Median noise (CDPP) vs magnitude

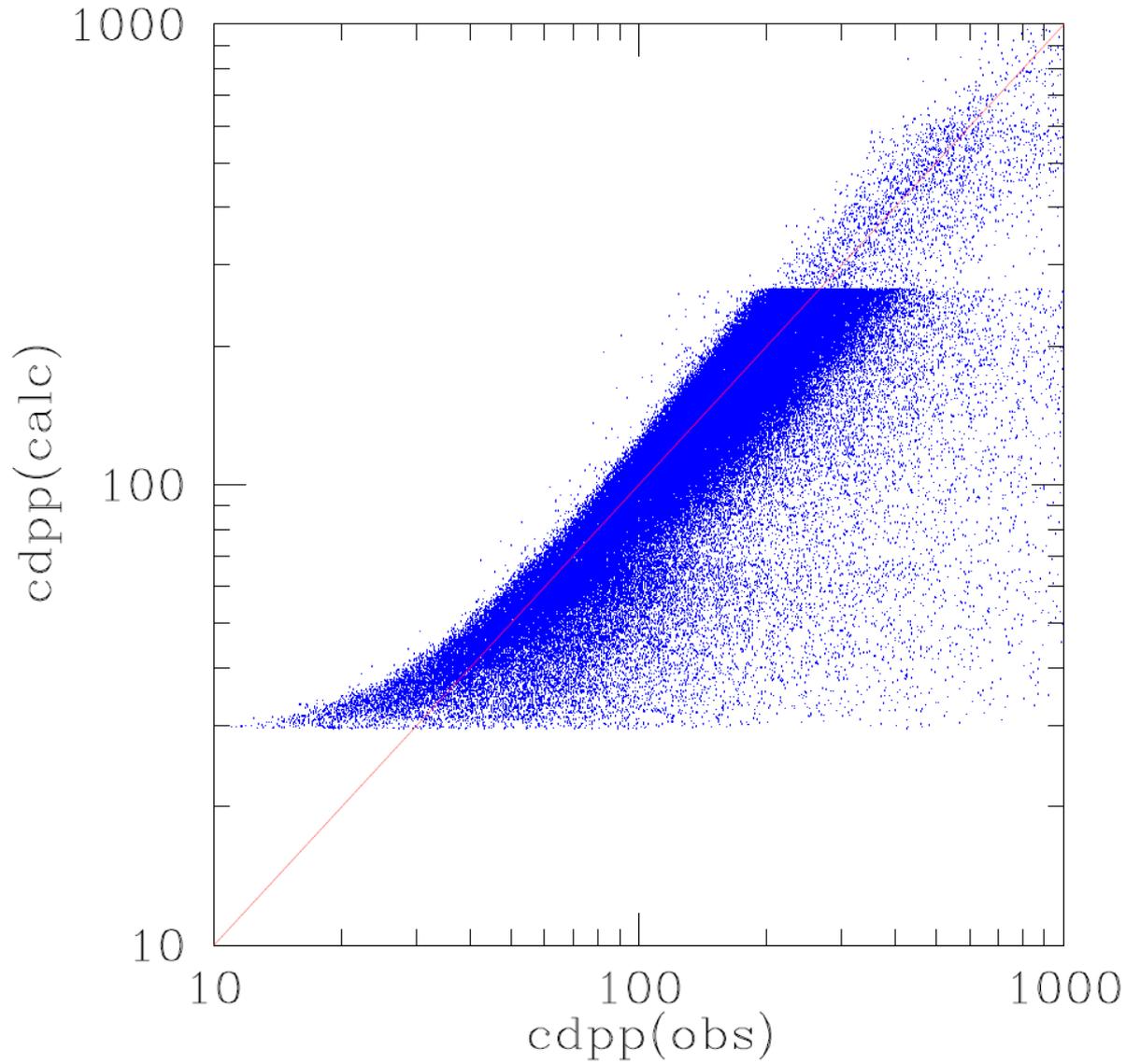


CDPP is RMS noise per 6-hour observation, in units of ppm

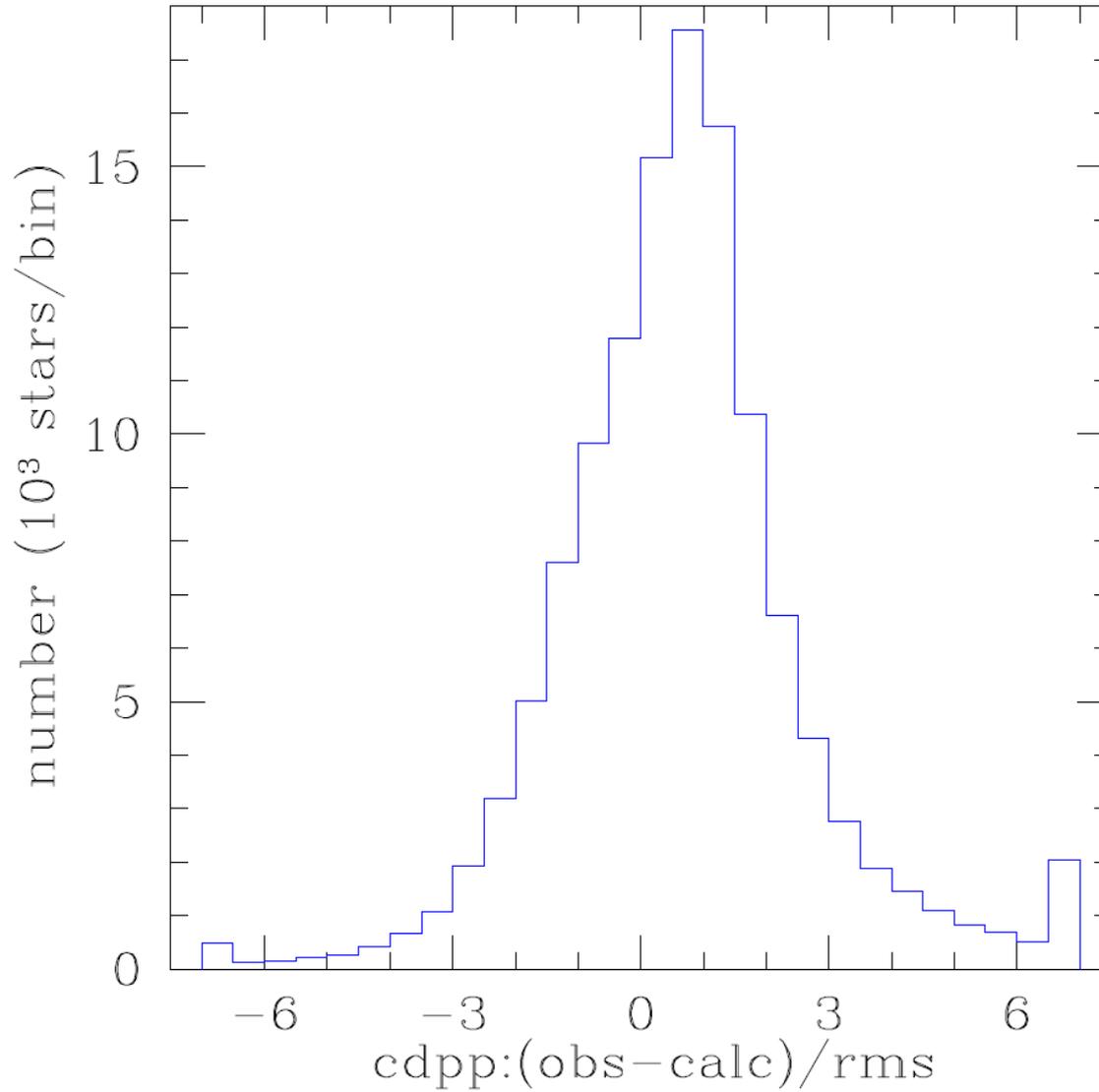
The middle curve is the median CDPP for all stars averaged over quarters 1 - 8

The best-fit curve is a simple function of Kepler magnitude

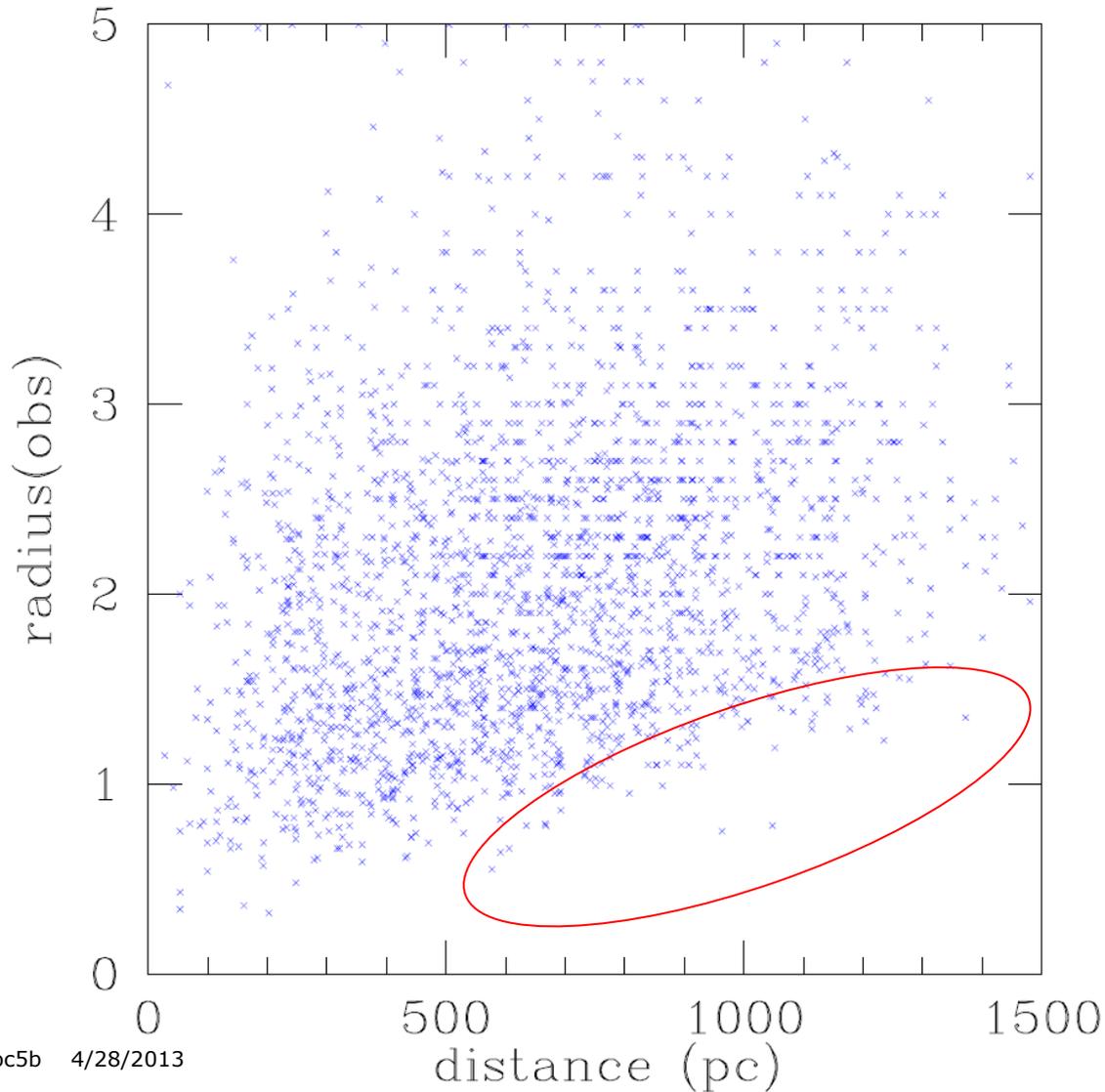
Calculated vs observed noise (CDPP)



Relative scatter of observed – calculated noise



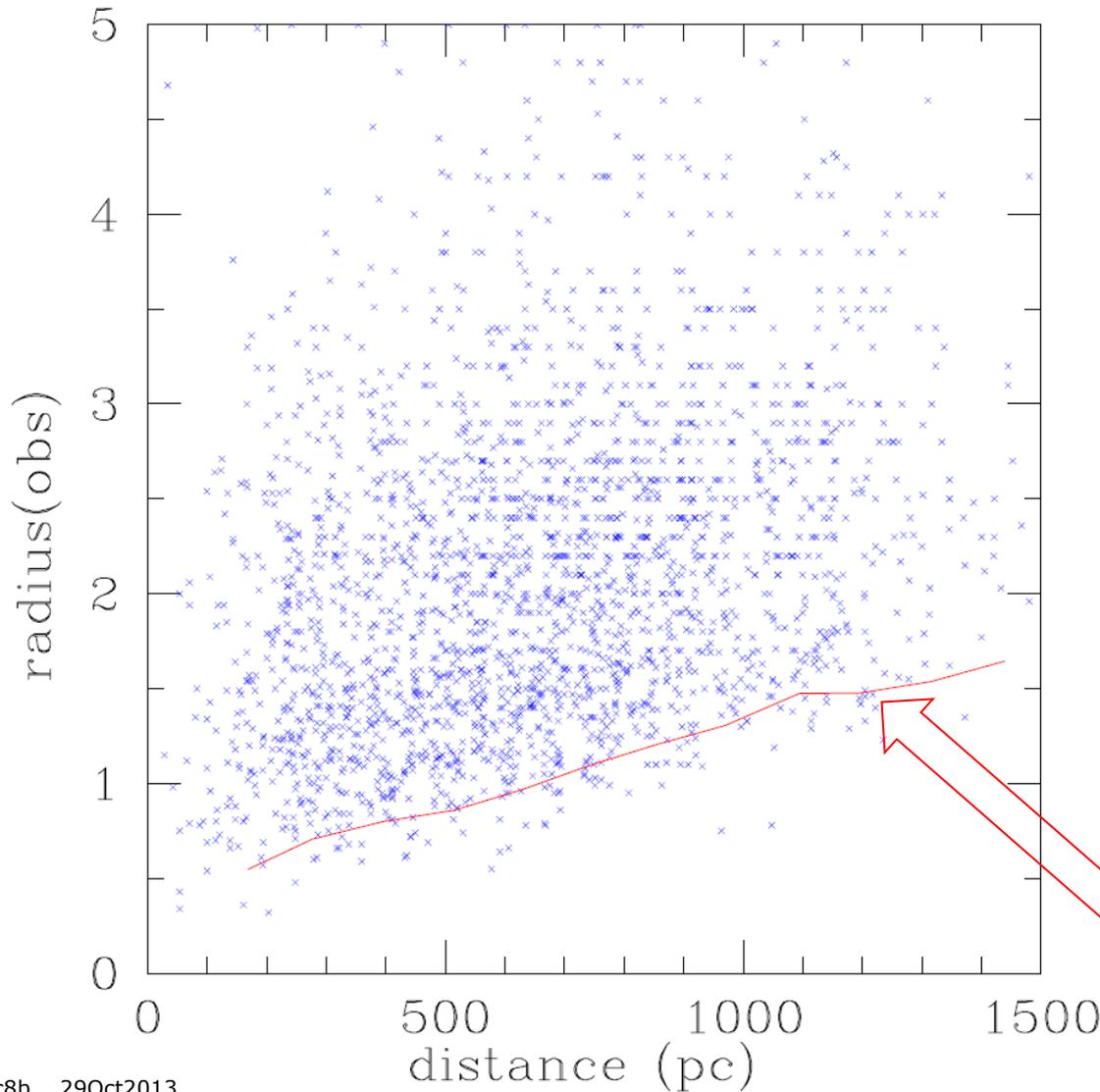
Missing small planets at large distance



Very few small planets
at large distances:

Nature or Bias?

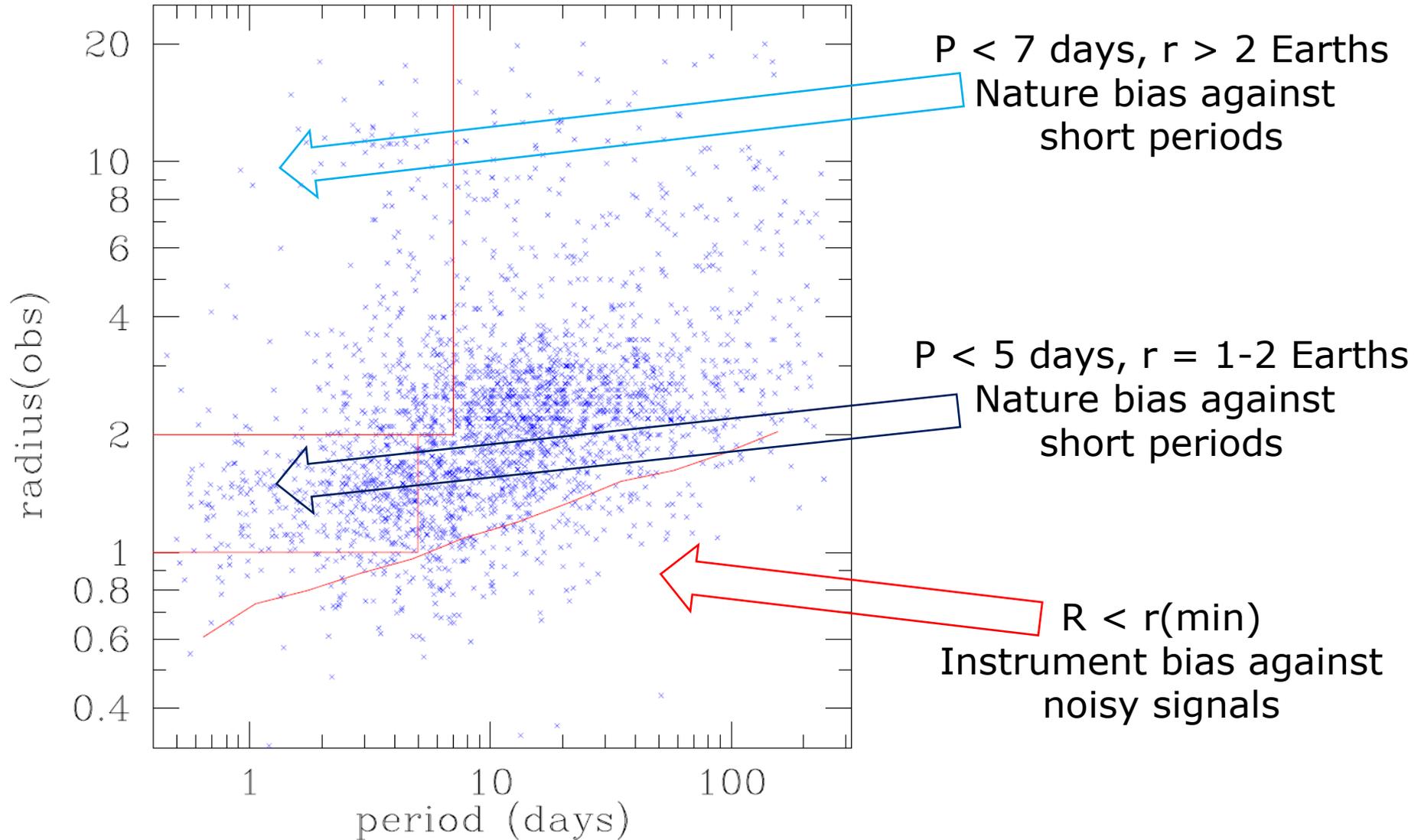
Missing small planets at large distance



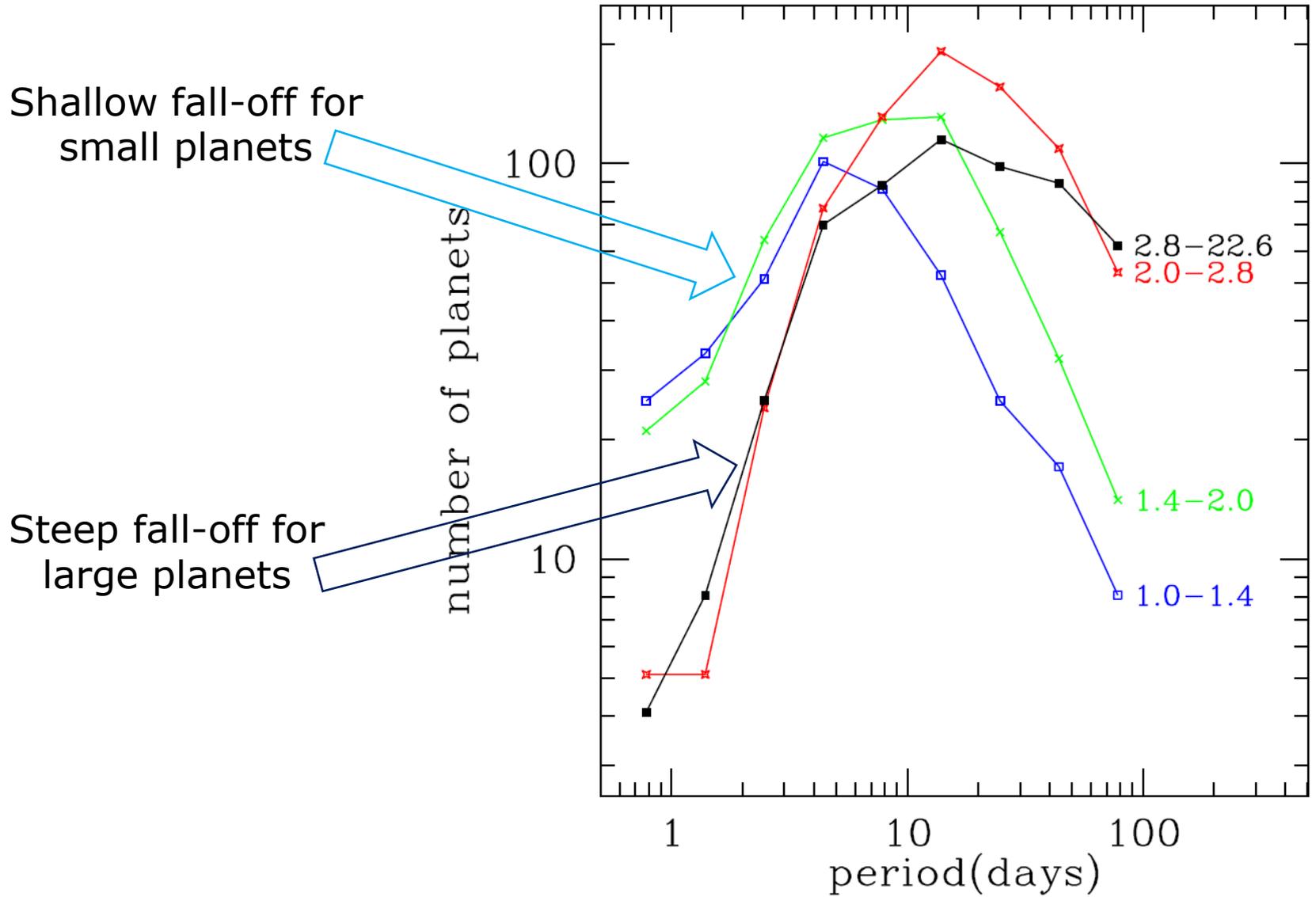
Average noise-limited
minimum radius
(scaled by 70%)

Must be a noise bias

Salient regions of the (P,r) diagram



Short-period fall-off



Eta-Earth (tentative)

Tentative bottom line: Fitting all 3 areas of the (P,r) diagram, using random planets assigned to 134,000 Kepler target stars, & using power-law functions, I find a best fit

$$N(\text{planets})/N(\text{stars}) = A \times r^a \times P^b \times \Delta \ln(r) \times \Delta \ln(P)$$

$$\text{where } A = 0.168, a = -2.4, b = 0.4$$

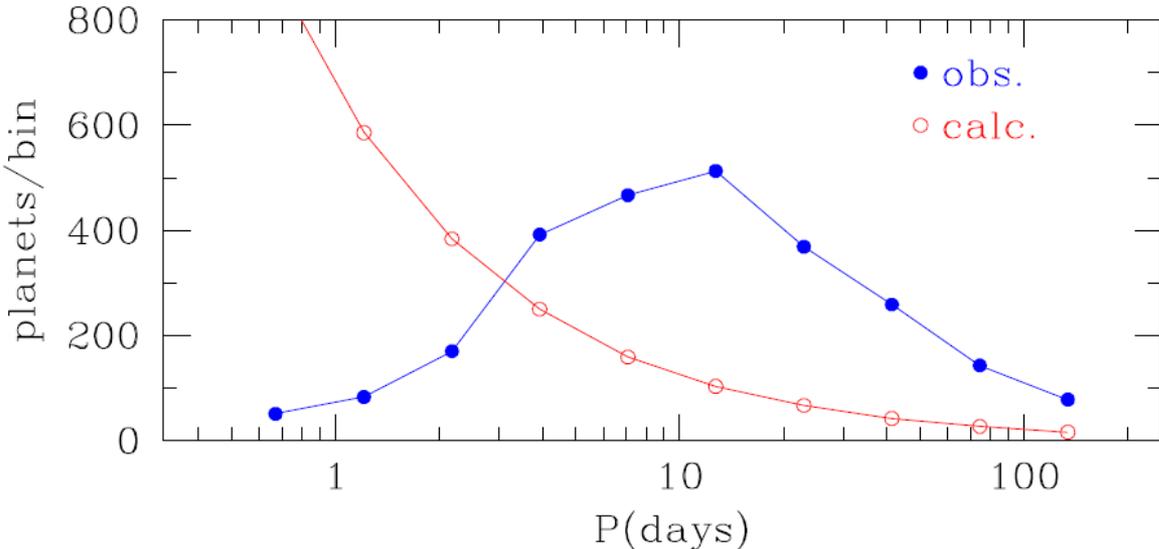
$$\text{which gives } \eta_{\oplus} = 0.70$$

for $r = 1-2$ Earth radius

& $P = 225-687$ days (Venus to Mars around Sun-like star)

Backup charts

Example: O vs C: $f \sim r^0 P^0$ per bin, poor fit



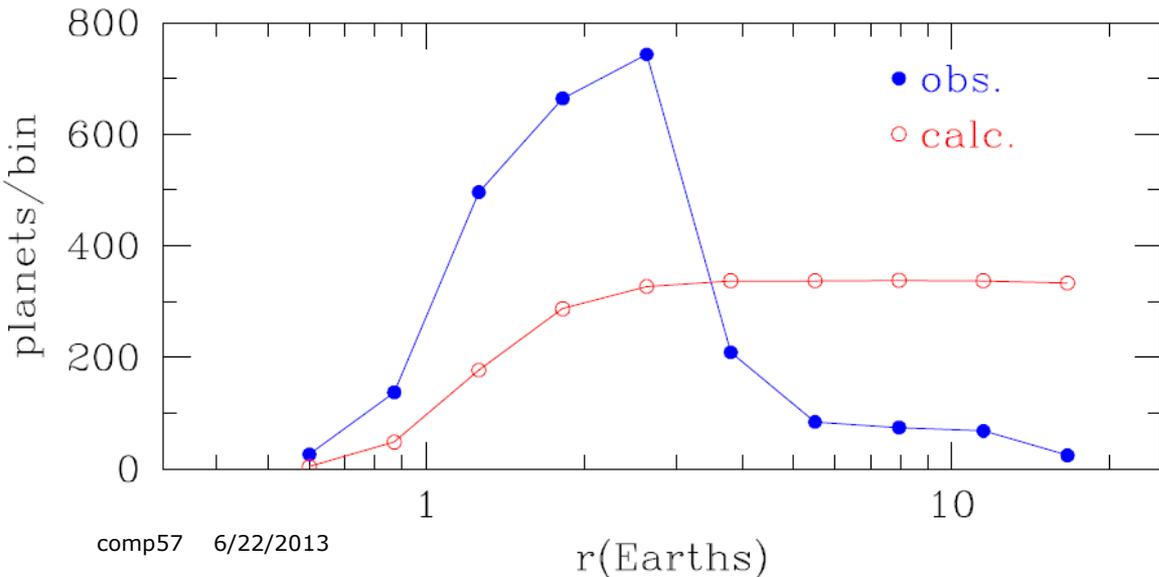
Generate simulated data:

For each Kepler star, assign a random planet radius and period, using power laws in r & P

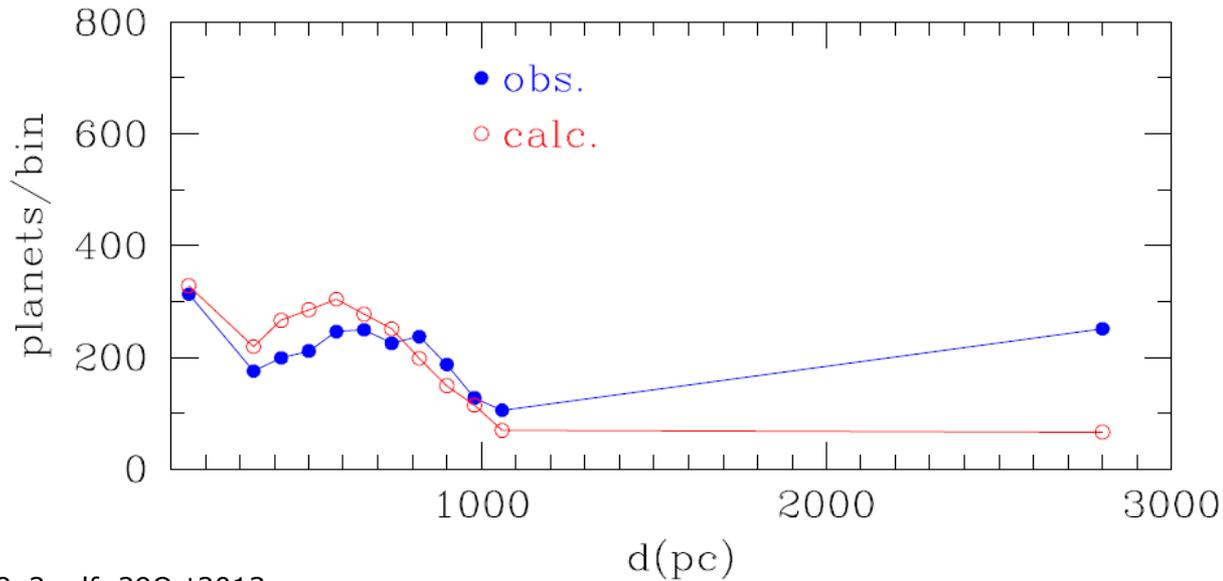
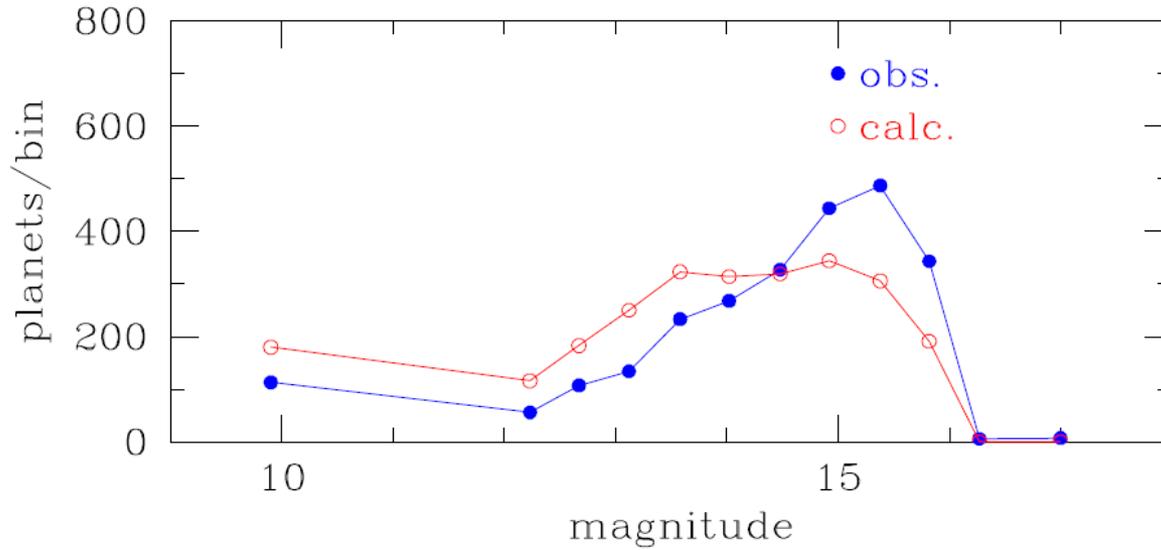
If radius is greater than the minimum, then “detect” the planet, otherwise reject it.

Compare observed data with simulated data.

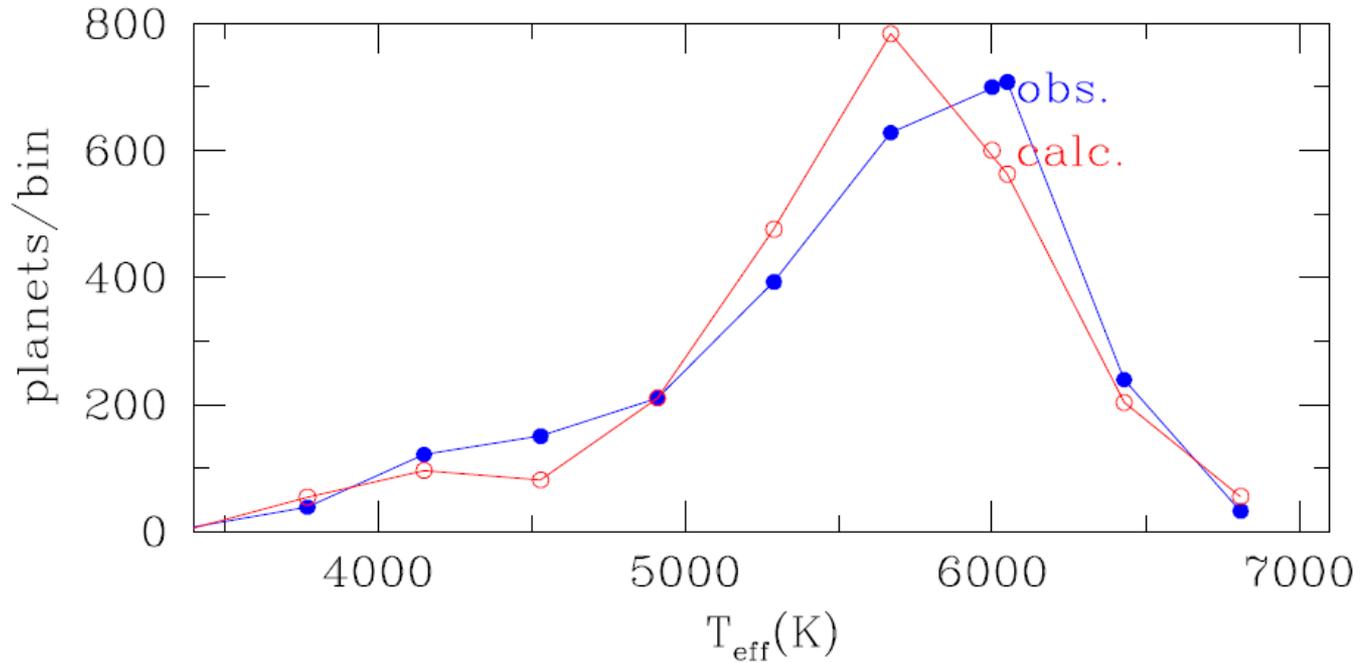
In this case (flat power laws) the fits are not good.



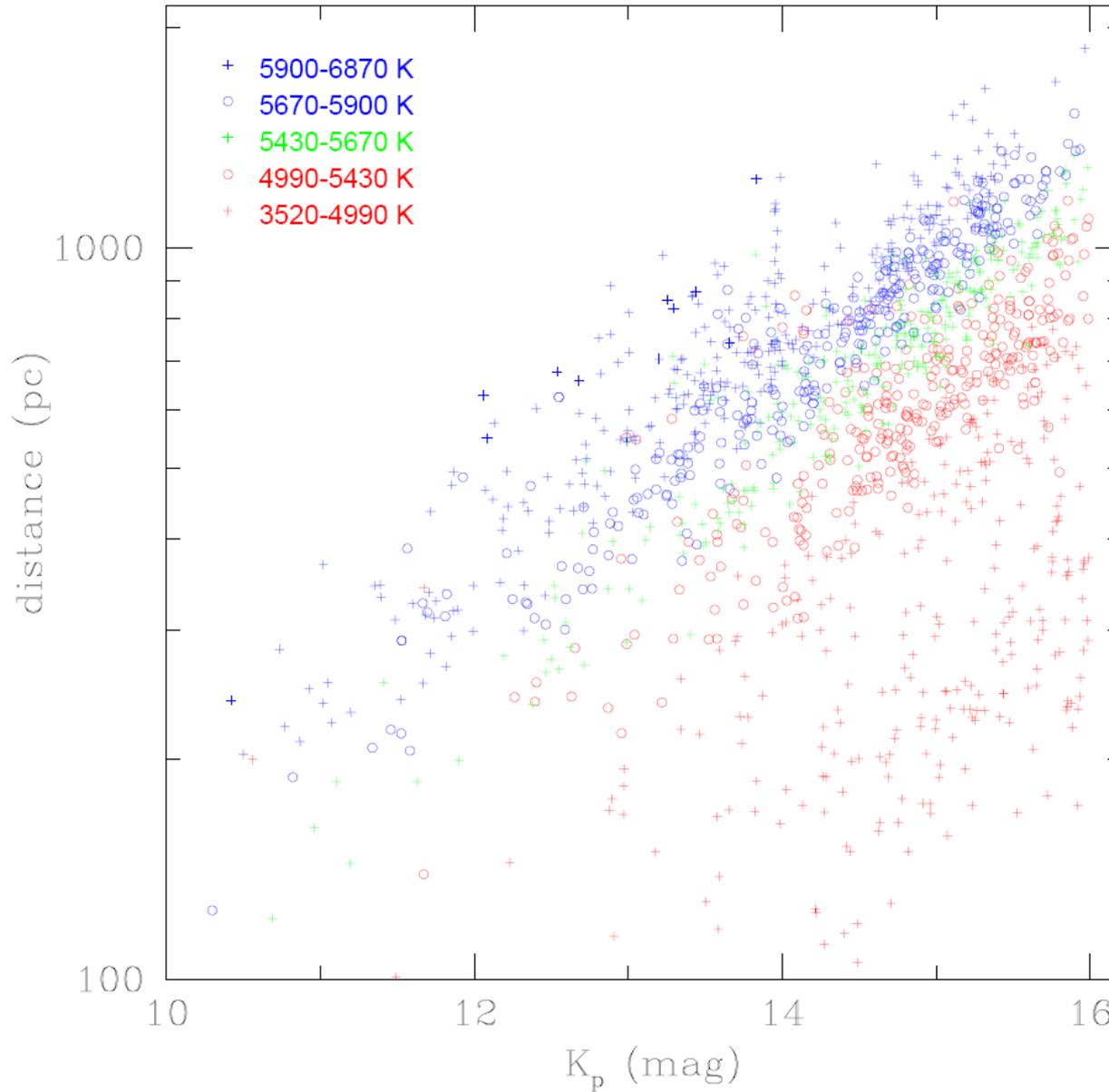
Observed-calculated vs magnitude and distance: best (P,r) fit



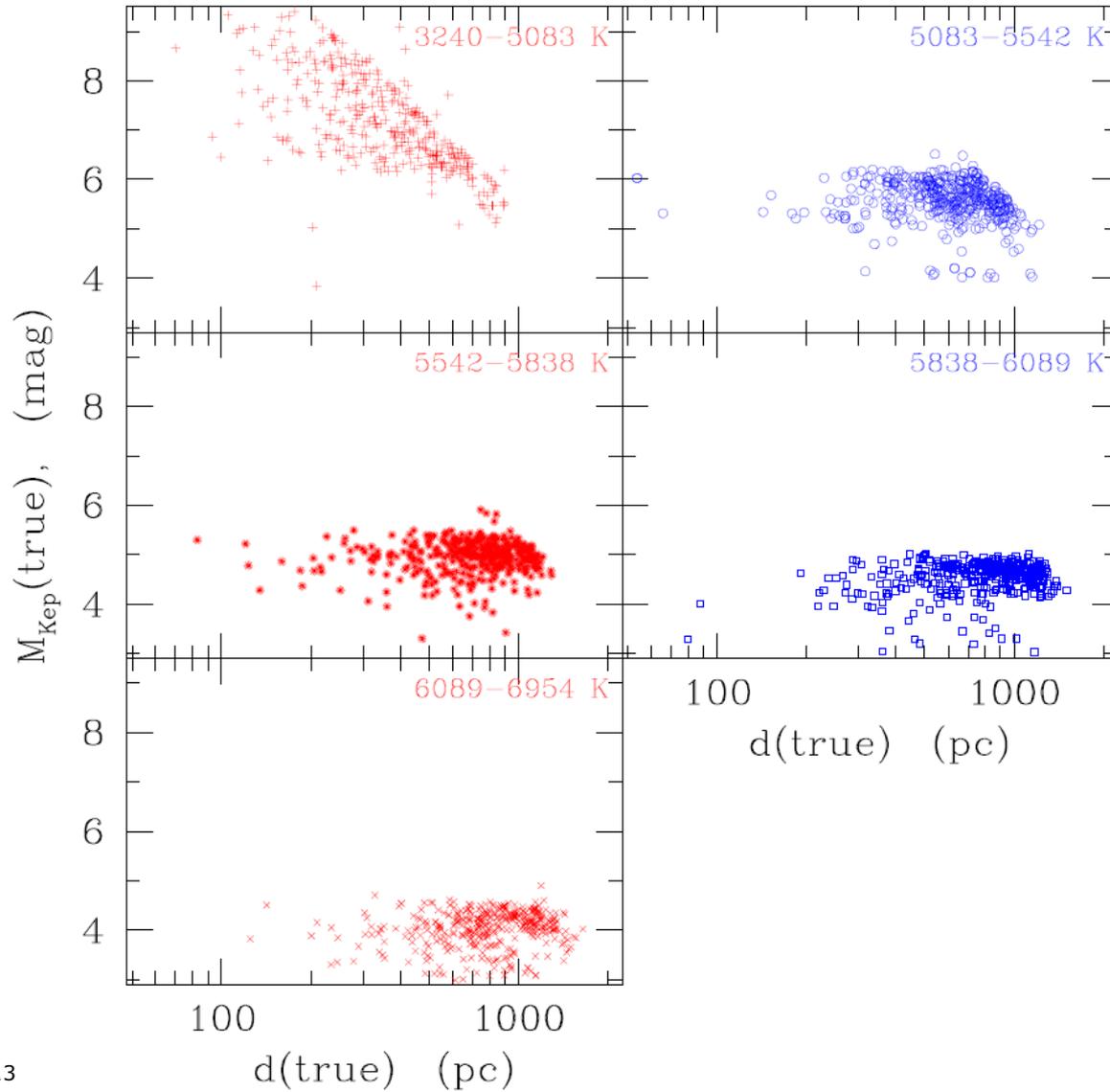
Observed-calculated vs T(eff): best (P,r) fit



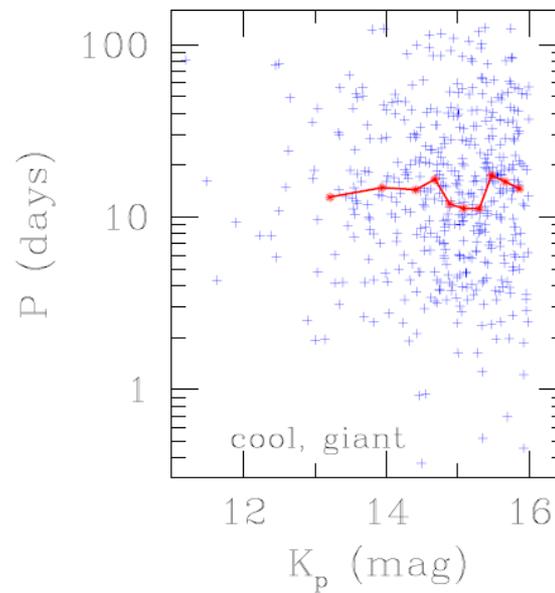
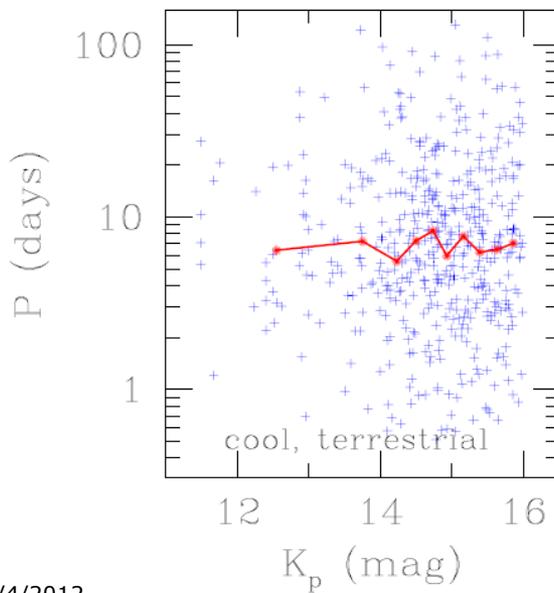
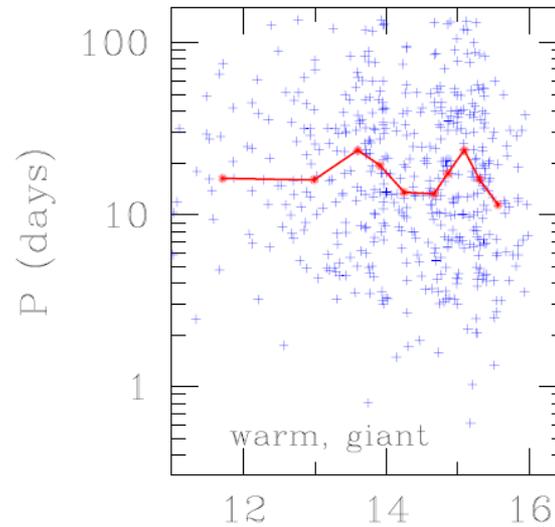
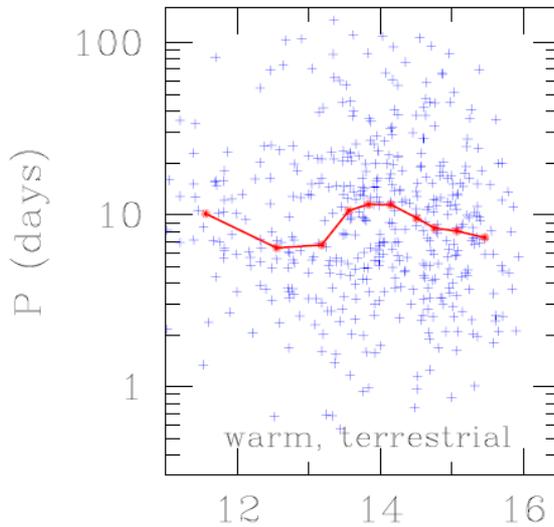
Distance vs magnitude



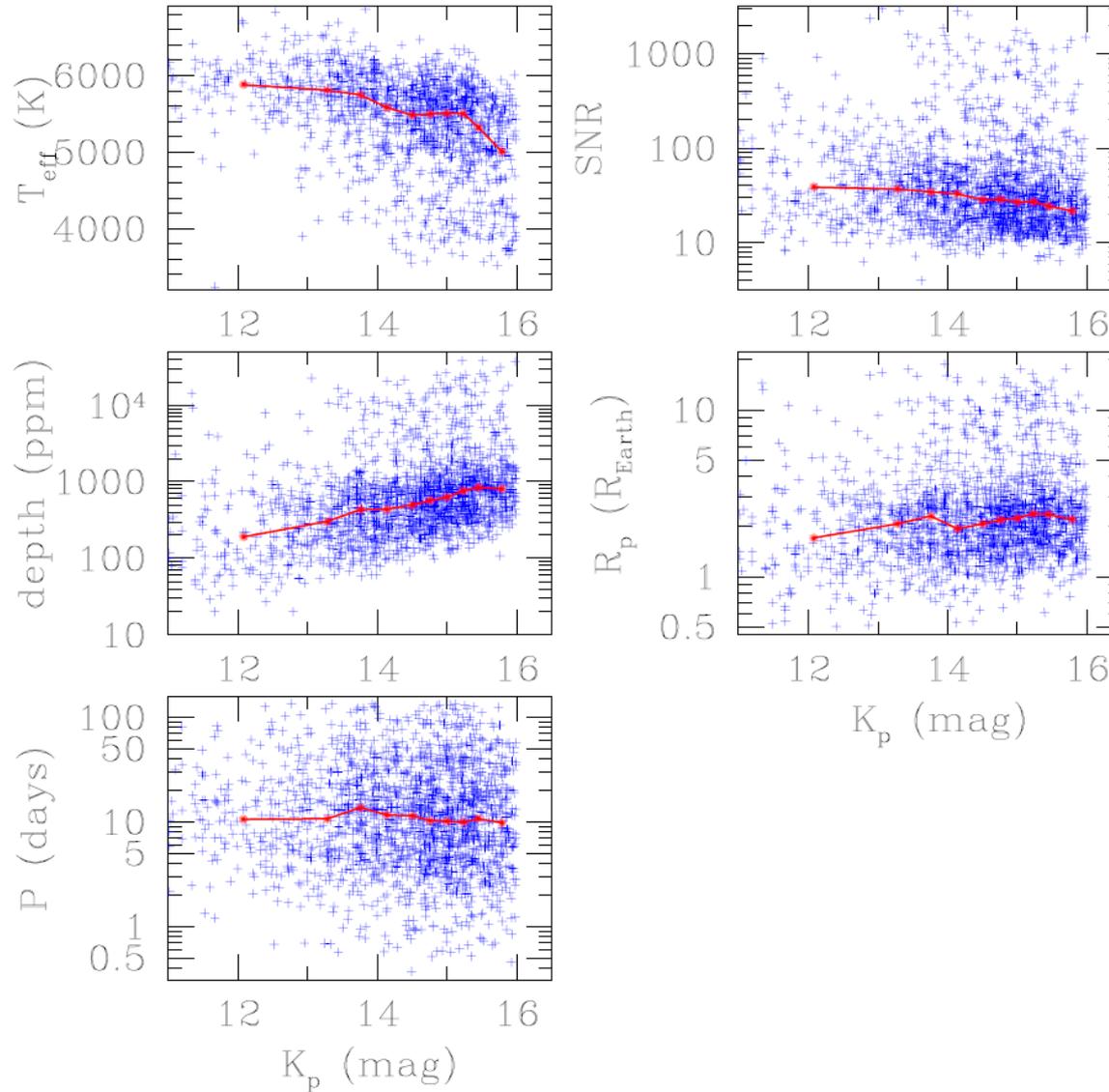
Reasonable clustering in absolute magnitude vs distance



Reasonable scatter in period vs magnitude



Reasonable scatter with magnitude (except for depth vs mag)



Ratio of 3/6 hr and 6/12 hr noise vs magnitude

